# Collider Detectors II

Taking useful data Identifying physics objects Performing measurements

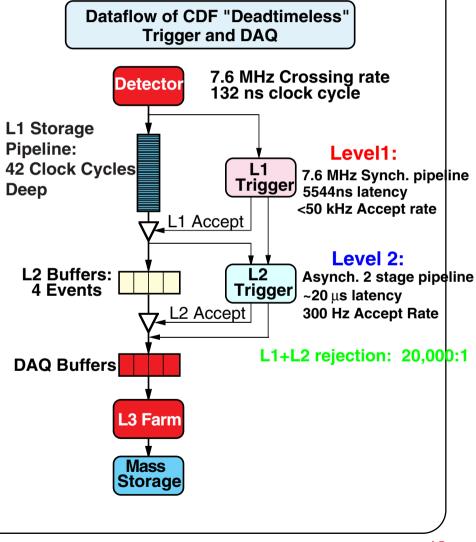
### **CDF** Trigger

Designed in early '80 (of the last century) as a three stage system:

- C L1 (hw), synchronous with bunch crossing
- ∽ L2 (hw processors)
   ⇒ Over time added more programming capability to gain in flexibility
- Commercial processors capable to run a simplified version of the offline)

⇒First run on VAX cluster processors, now linux boxes

#### The Run II version



### **Central Calorimeter**

#### Assembly and test of Central Calorimeter (1984)



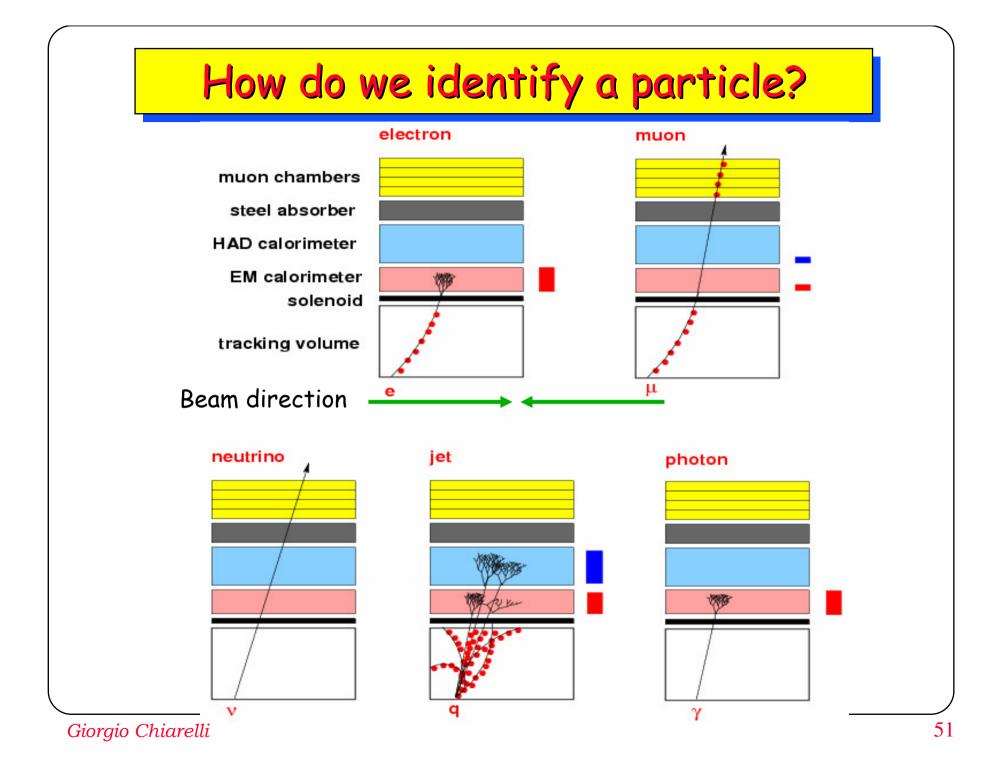


	EM	HAD
Segmentation	$\sim 50~{\rm cm} \times 20~{\rm cm}$	$\sim 70~{\rm cm} \times 35~{\rm cm}$
Total channels	956	1344 (with endwall)
Thickness	18 $X_0, 1 \lambda_0$	$4.7 \ \lambda_0$
Samples	21-30	32
Active	5 mm Scint.	1.0  cm Scint.
Passive	3.2  mm lead	$2.5 \mathrm{~cm~steel}$
Resolution	$13.5\%/\sqrt{E} + 1\%$	$75\%/\sqrt{E} + 3\%$

# "Plug" Calorimeters

			I
		$\mathbf{E}\mathbf{M}$	HAD
	Segmentation	$\sim 8  imes 8 cm^2$	$\sim 24  imes 24 cm^2$
	Total Channels	960	864
	Thickness	21 $X_0$ , 1 $\lambda_0$	$7 \lambda_0$
	Density	$0.36 ho_{Pb}$	$0.75 ho_{Fe}$
	Samples	22 +	23
		Preshower	
	Active	4 mm Scint	6 mm Scint
	Passive	4.5  mm Pb	2 inch Fe
	Light Yield	$\geq \! 3.5$	$\geq 2$
	(pe/MIP/tile)		
	Resolution	$16\%/\sqrt{E}\oplus1\%$	$80\%/\sqrt{E}\oplus 5\%$
Hadronic section EM section	0.25 0.25 0.15 0.05	$\sigma(E)/E = 72\%$ pions, intera $\sigma(E)/E = 78\%$ Plug Preshower HCAL scale set of the set of t	y Resolution onizing in ECAL $/\sqrt{(E)} \oplus 5.9\%$ cting in ECAL or HCAL $/\sqrt{(E)} \oplus 5.3\%$ energy not included using all pions 200 250 300 350
	<i>o</i> È		
		pior	n beam energy (GeV/c)

50



PID-I				
Neutrino:	Jet:	Photon:		
Non interacting	Release of energy in EM and Had compartment	Energy deposited in EM compartment of calorimeter		
Missing Transverse energy: $E_T = \sum_i E_{Ti} \cdot n_i$ $E_T = - E_T$	Projective geometry, Fixed cone algo in η–φ, ΔR = 0.4	No associated track		
neutrino	jet	photon		

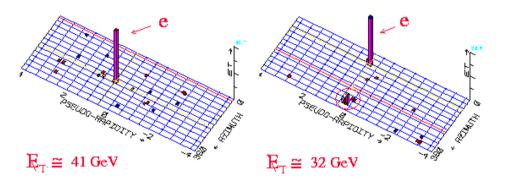
JIQ	) II
electron	muon
muon chambers steel absorber HAD calorimeter	
EM calorimeter solenoid tracking volume	
e Electron et (lucl. c. 2.0)	
Electrons: ( η  < 2.8)	<b>Muons: (</b>  η  < 1)
Track in COT (offline require COT-SVX)	Track in COT
Energy reconstructed in EM compartment, small Had/EM Shower profile consistent with an electron	Energy deposition: MIP Extrapolated track combined with stub in mu chamber

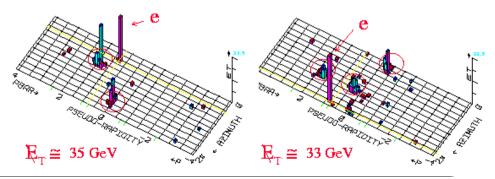
### Neutrinos

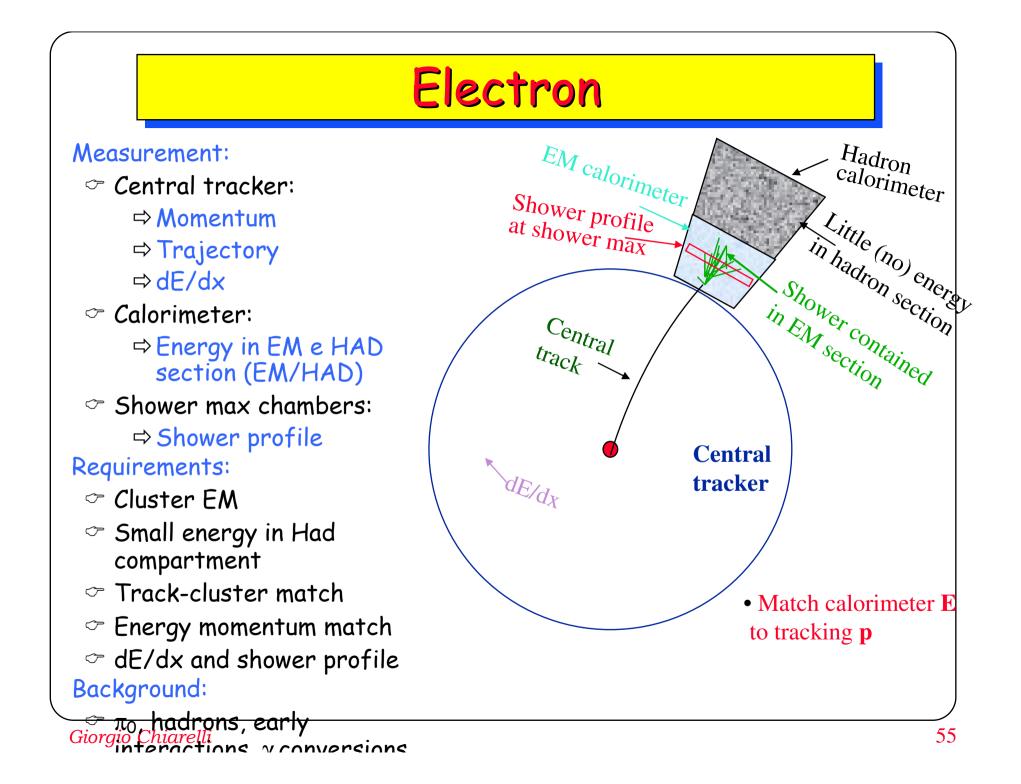
#### Measurements:

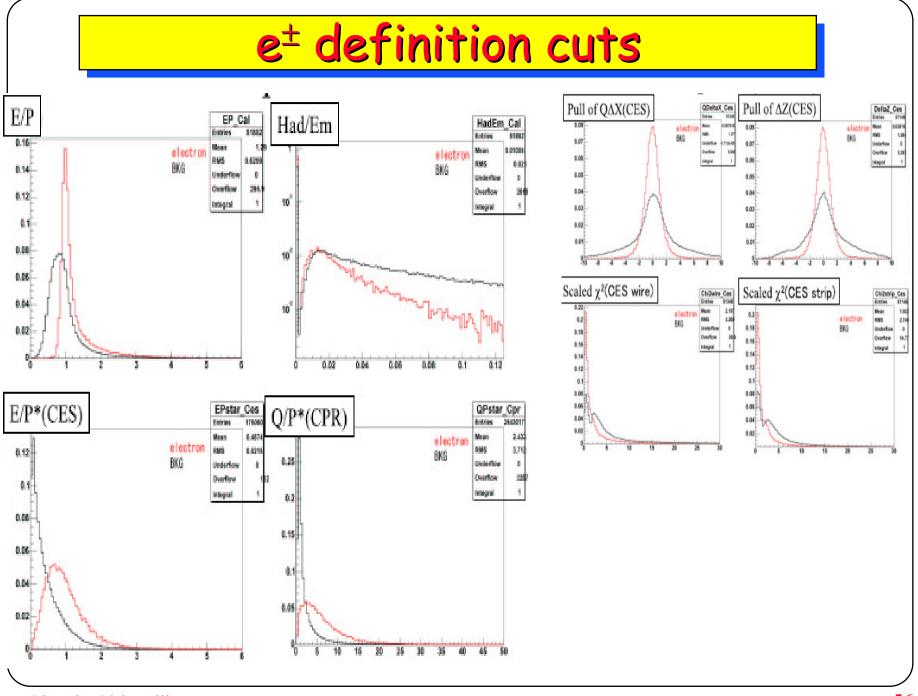
Energy from individual calorimetric towers Requirement:

 ∽ Imbalance of tranverse energy (above threshold)
 ⇒ Computation of tower energy
 Background:
 ~ Leaks in non instrumented regions (cracks)
 ~ Cosmic rays
 ~ Hardware problems CDF: W + 0,1,2,3 jet(s) Events

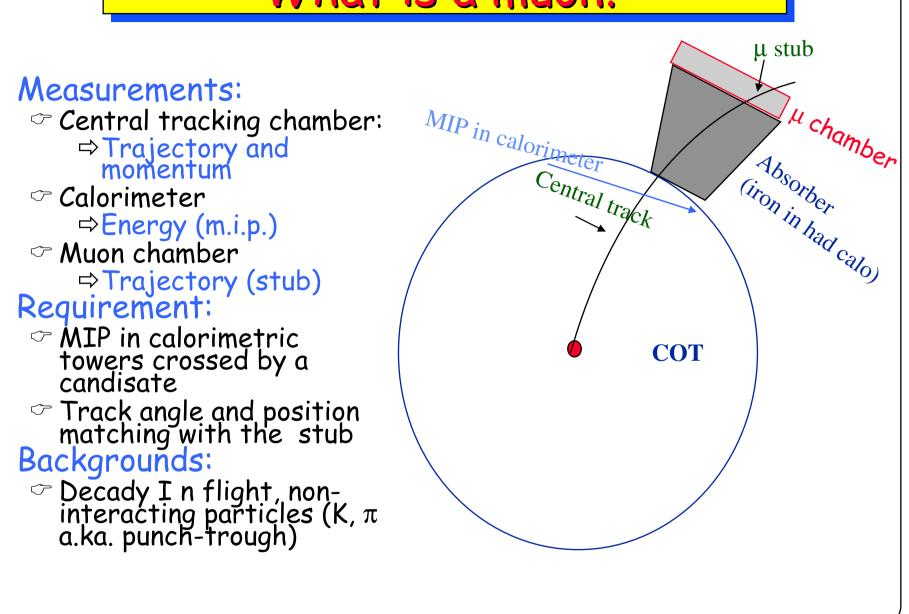


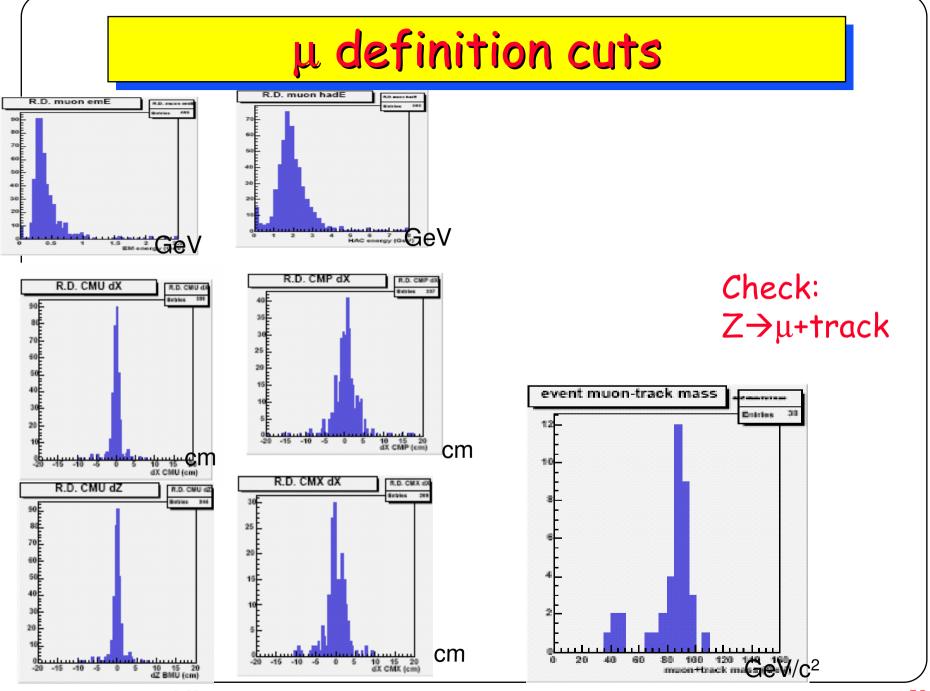






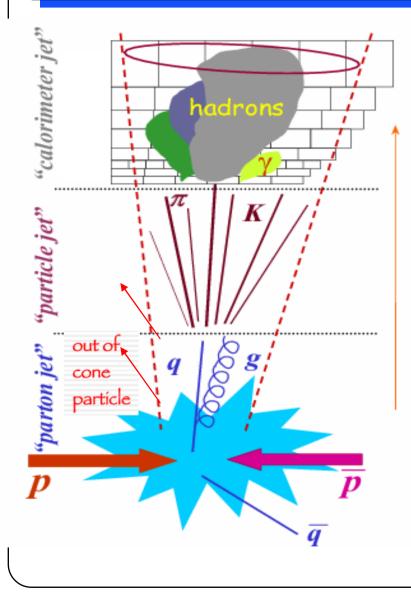
### <u>What is a muon?</u>





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# **Reconstructing quarks -I**

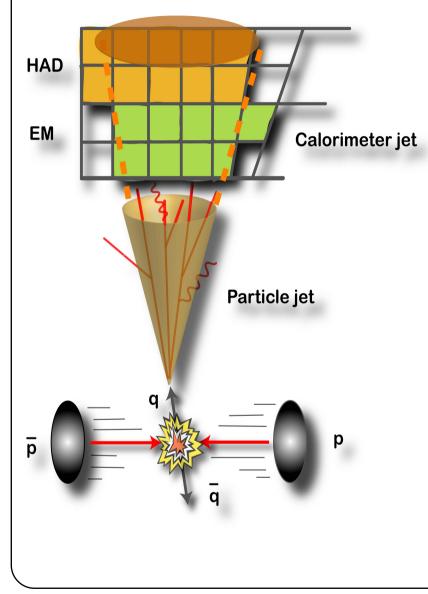


A jet is a fairly complicated object:

- Measured by: calorimetric towers
  Defined by a clustering algorithm
  Physics measurements with jets imply to convert *observed* energy into parton energy
- To convert jet energies into parton energies we must correct for:
  - Instrumental effects
  - Physics effects
  - Jet Algorithm effects

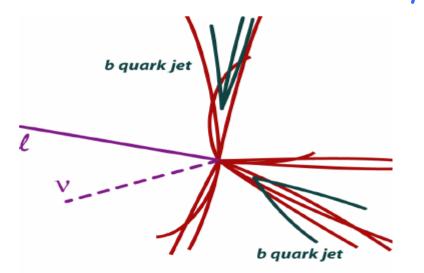
Dubbed: Jet Energy Scale (JES)

### Reconstructing quarks -II



You need to correct Jet Energy Scale (JES) to reconstruct the initial energy of the primary parton

b-jets have an exceptional value you can use a vertex tracker to reonctruct secondary vertices generated in b-hadrons decays



# What is a jet at CDF?

#### Measurements:

Energy reconstructed in calorimeter

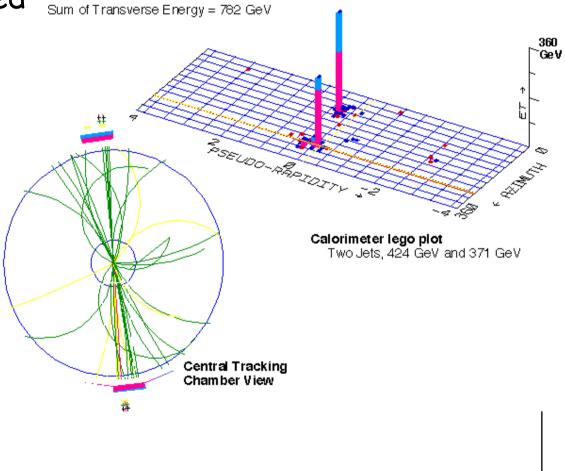
#### Requirement

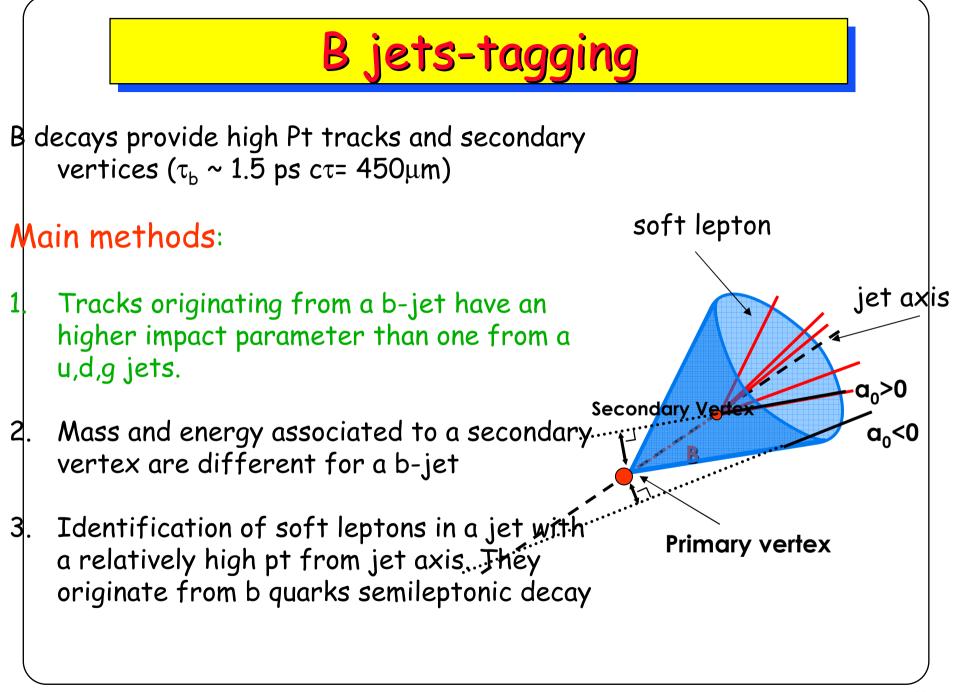
Cluster of adjacent towers above threshold

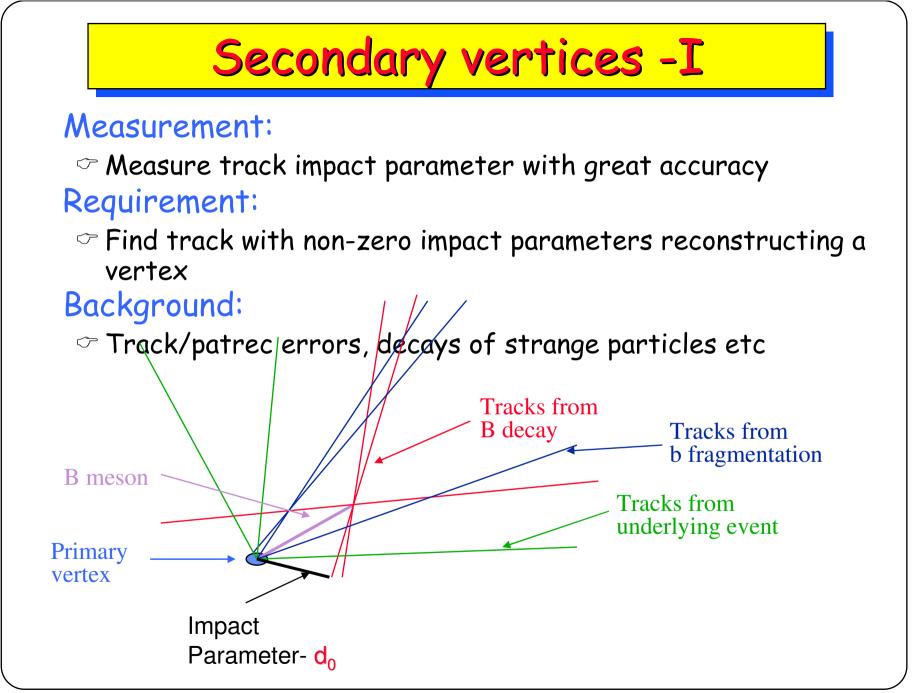
#### Background

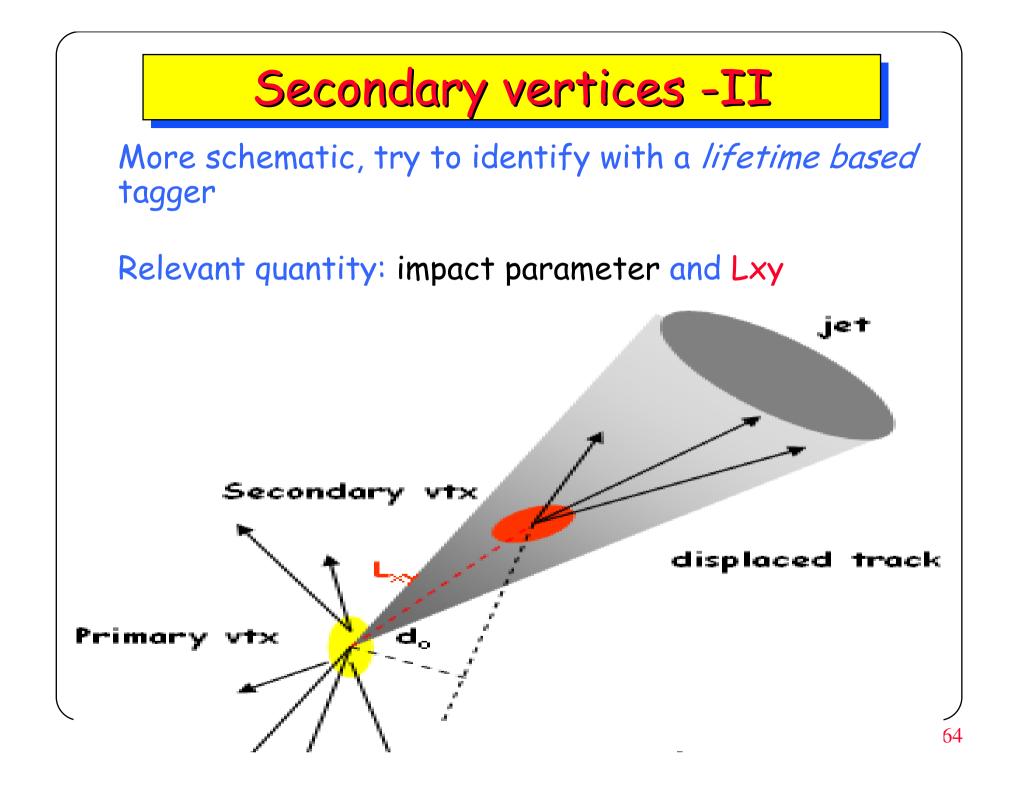
Problems related to adjacent jets and underlying event clusterized as jets (most important at high L)

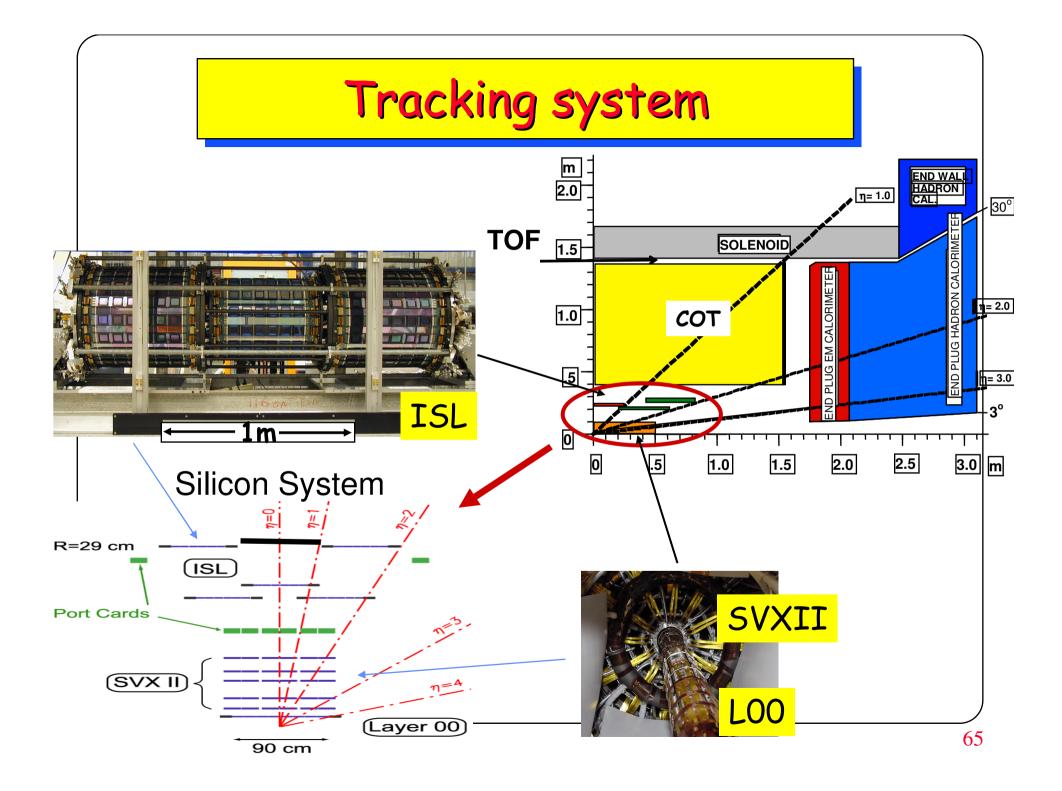
#### <u>CDF:</u> Highest Transverse Energy Event from the 1988-89 Collider Run







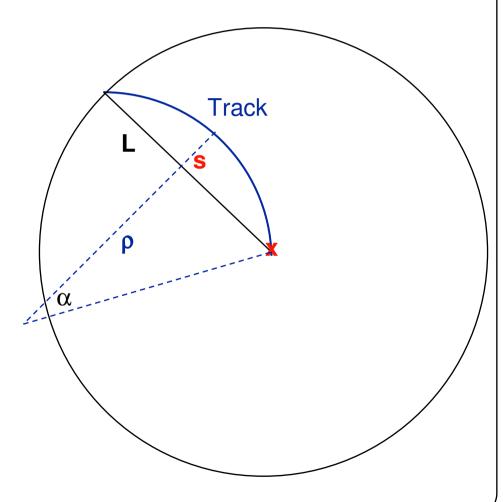


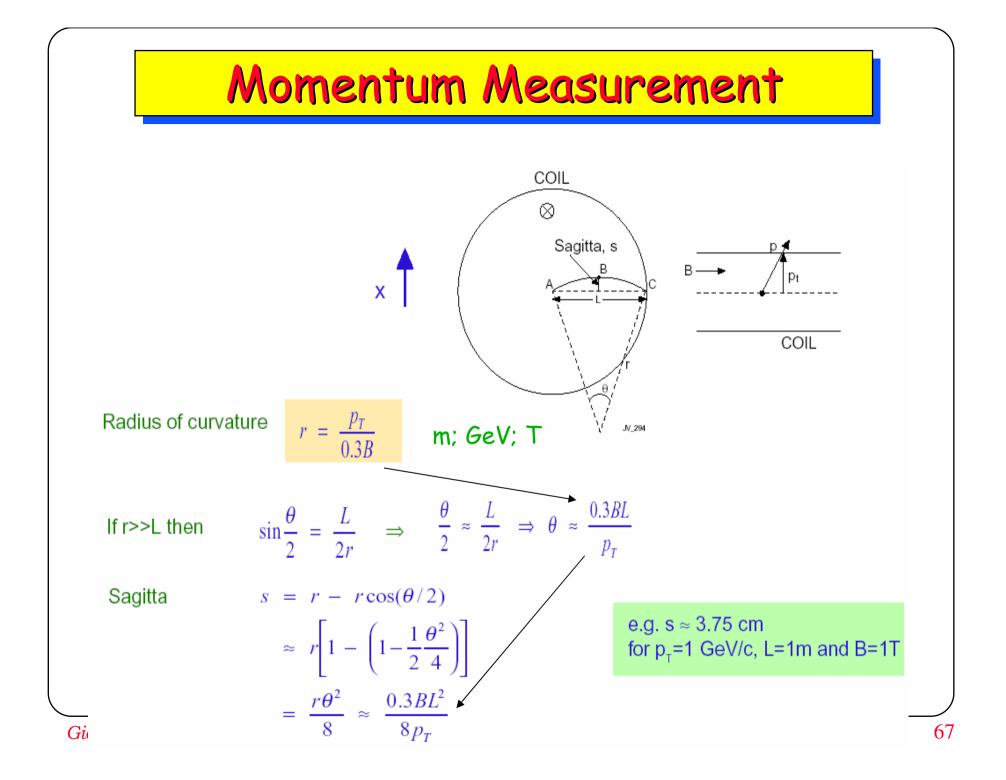


### Momentum measurement

#### Momentum resolution

~Measure sagitta with constant resolution  $\Rightarrow$ s =  $\rho$  (1-cos  $\alpha$ )  $\Rightarrow$ cos  $\alpha$  ~1- $\alpha^2/2$  ~1- $(L/2\rho)^{2}/2$  $\Rightarrow$ s = L<sup>2</sup>/(8 $\rho$ )  $rac{1}{2} \rho \propto p_T/B$  $rac{}{}^{\circ}s \propto L^2 * B/p_T$  $\sigma_{s} \propto [L^{2} * B / p_{T}] * \sigma_{p_{T}} / p_{T}$  $\sigma_{pT} / p_{T}^{2} \propto \sigma_{s} / BL^{2} =$ cost.





### Momentum Measurement -II

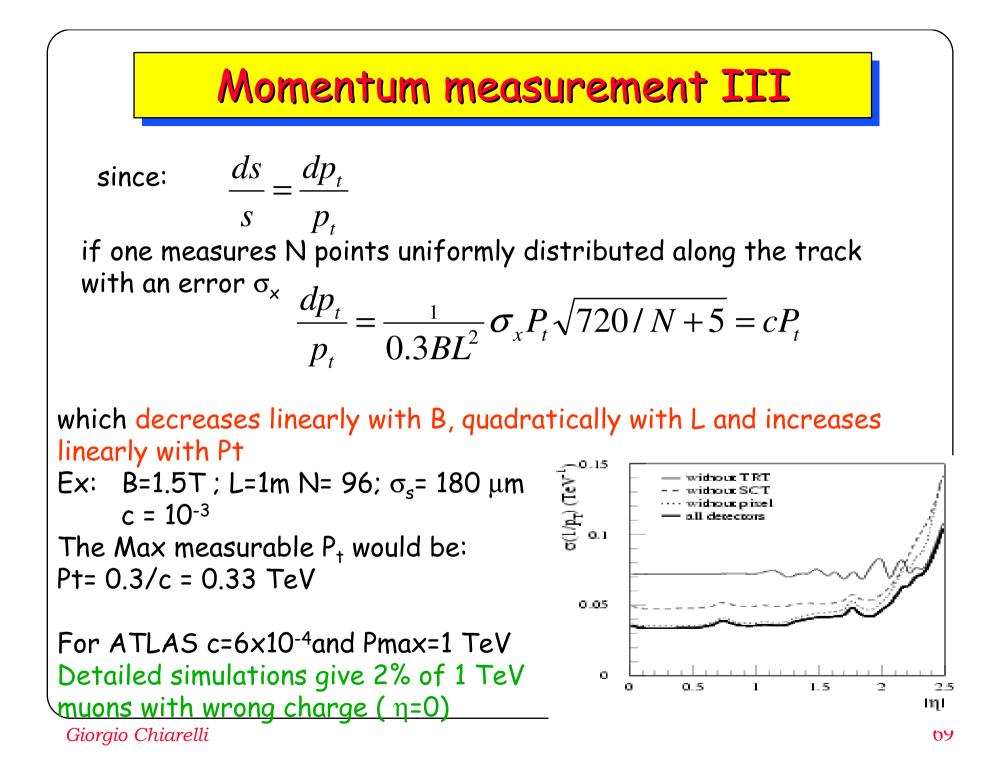
At low  $P_{t}$  MS becomes important and dominant:

$$\theta_{rms} = \frac{13.6 \,MeV \,\sqrt{L/X_0}}{\beta p}$$

This contributes to the uncertainty on the sagitta ~ L  $\theta_{\rm rms}$  ~ L<sup>3/2</sup> and decreases as 1/p. But the sagitta goes as 1/p and L<sup>2.</sup> The result is:

$$\frac{dp}{p})_{ms} = \frac{0.045}{B\sqrt{LX_0}}$$
 constant with P.

Conclusion: at low P MS is the dominant effect



Uncertainties on track parameters

Paper: R.L.Gluckstern, NIM 24 (1963) 381-389

curvature:

 $\langle c^2 \rangle = \frac{\varepsilon^2}{\Gamma^4} A_N$ 

$$A_{N} = \frac{720 N^{3}}{(N-1)(N+1)(N+2)(N+3)}$$

Valid for equally spaced measuremnt points ⇒Non optimal choice

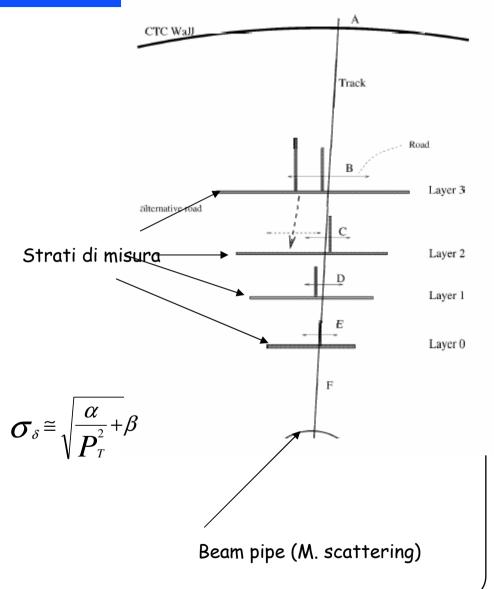
Its approximation (used in previous page) only valid for large N

⇒latter abused (and sometimes used with wrong coefficents)

# Vertexing and tracking -I

# In Run I at tracks were not reconstructed by silicon vertex

- Track parameteters (5)
   reconstructed by an external (gas) detector
- Points measured in SVX are then attached to the track
  - ⇒ Minimize role of M.S
     ⇒ Fast (only fitting)
  - ⇒ Dominant role played in measuring impact parameter
- First measurement point and its distance from first scattering layer dominant in impact parameter accuracy
  - ⇒Need to maintain this layer efficienct



# Vertexing and tracking -II

In a system in which a vertex detector has a role in tracking (CMS, CDF at  $|\eta|>1$ ), you need enough point to guarantee redundancy and pattern recognition capability.

There is no independent system reconstructing the track.

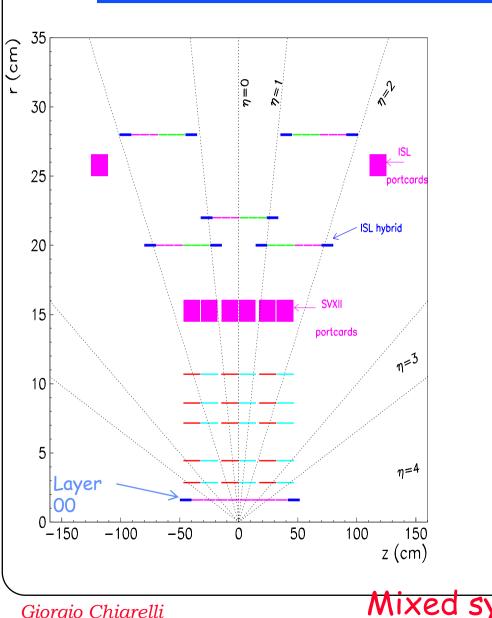
 $\odot$  Delicate issue: material budget (y-conversions)

C Another issue: radiation damage

noise generates spurious hits, combinatorics can severely affects the pattern recognition capability

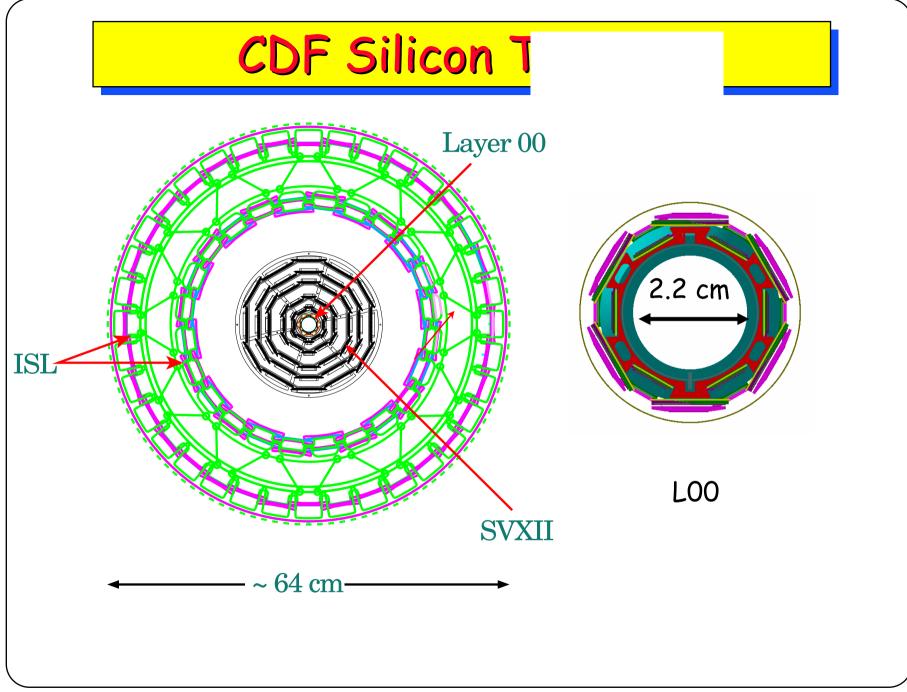
⇒Change in efficiency of a single layer can seriously affect the overall system efficiency Always recall that a track has 5 parameters..

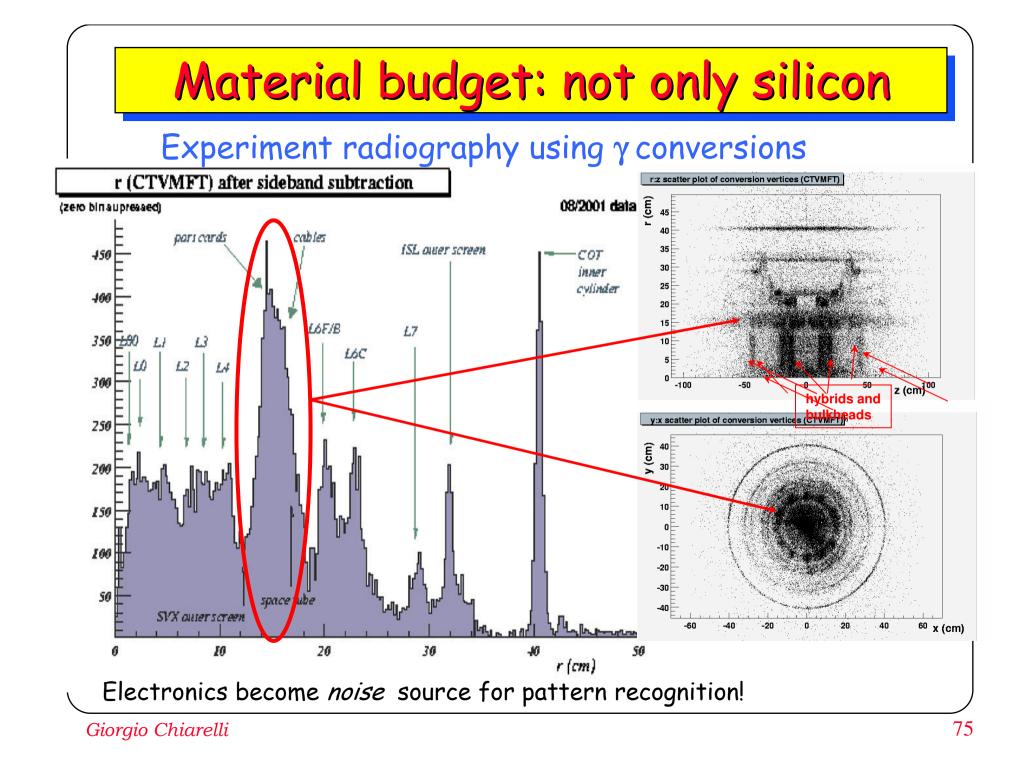
## **CDF** Silicon Tracking System

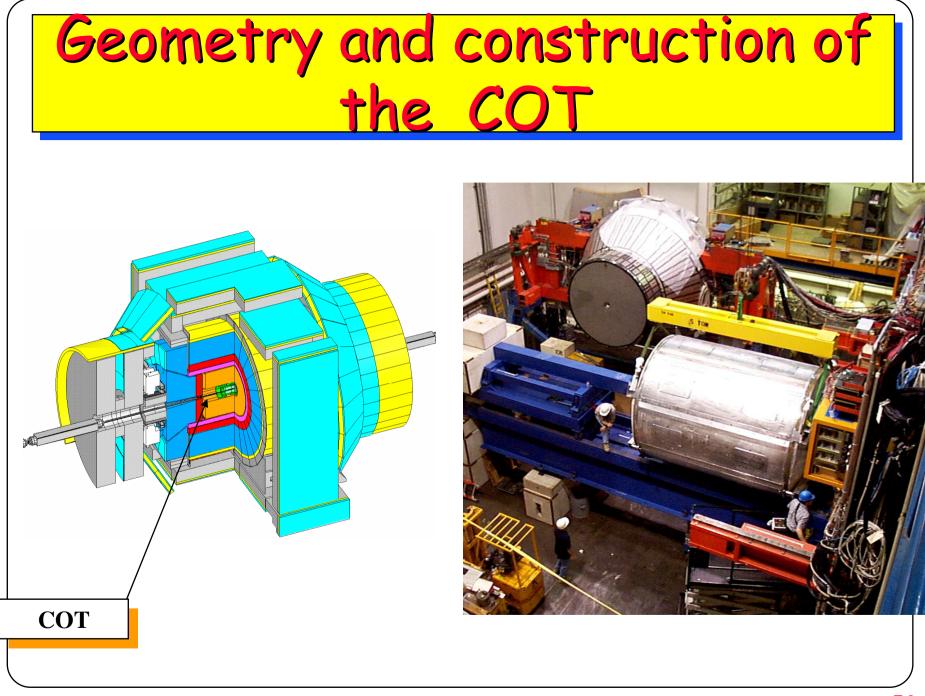


System made of three different detectors(!) ~ L00 J ISL LOO arrived as last (added), single sided detector, rad-hard SVXII was the first: ∽ 5 layers double sided (2 rz stereo and 3 with 90° strips) ISL is the first large radius tracker: ~ 2 double sided (r-z) layers

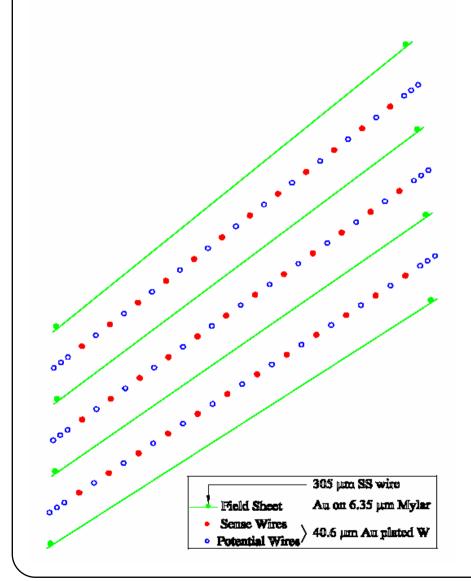
at  $2 < |\eta| < 1$  and 1 in central region







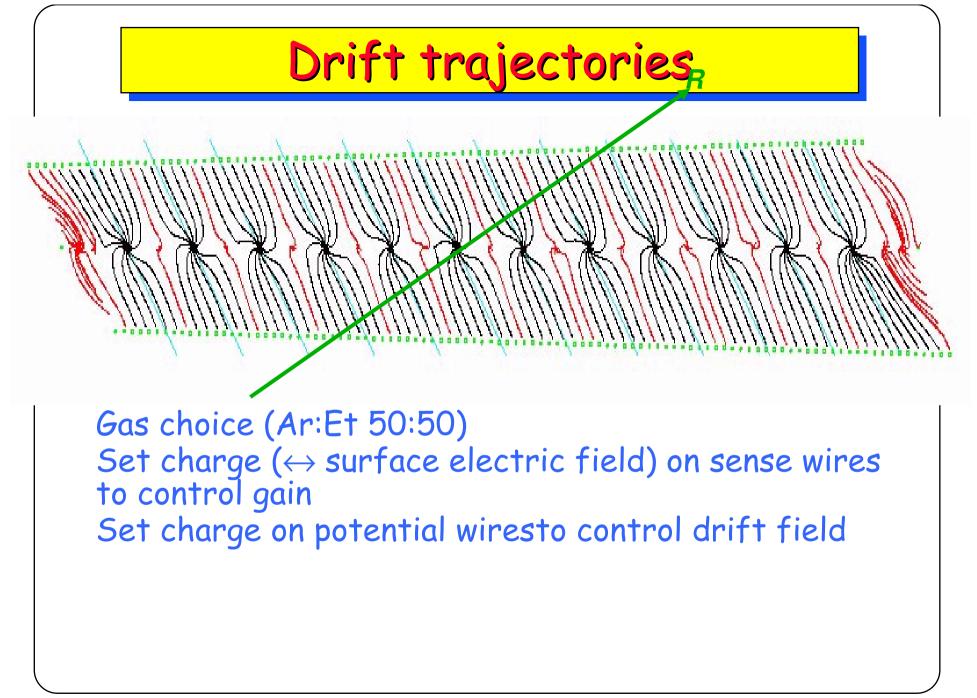
### **Cell geometry**



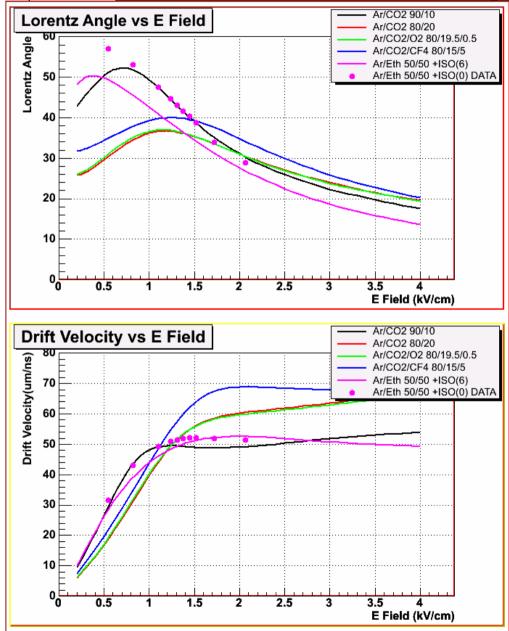
#### Cathos

- 🗢 Gold on Mylar
- $\sim$  Mylar thickness 6.4  $\mu$ m
- ← Gold ~350 Å each side Anodes
- Tungsten gold plated
- Diameter 40 μm
- Same wire used for sense and field shaping

Cell are tilted by  $35^{\circ}$  to correct for  $E \times B$  (e do not drift along E field but ~along  $\varphi$ )

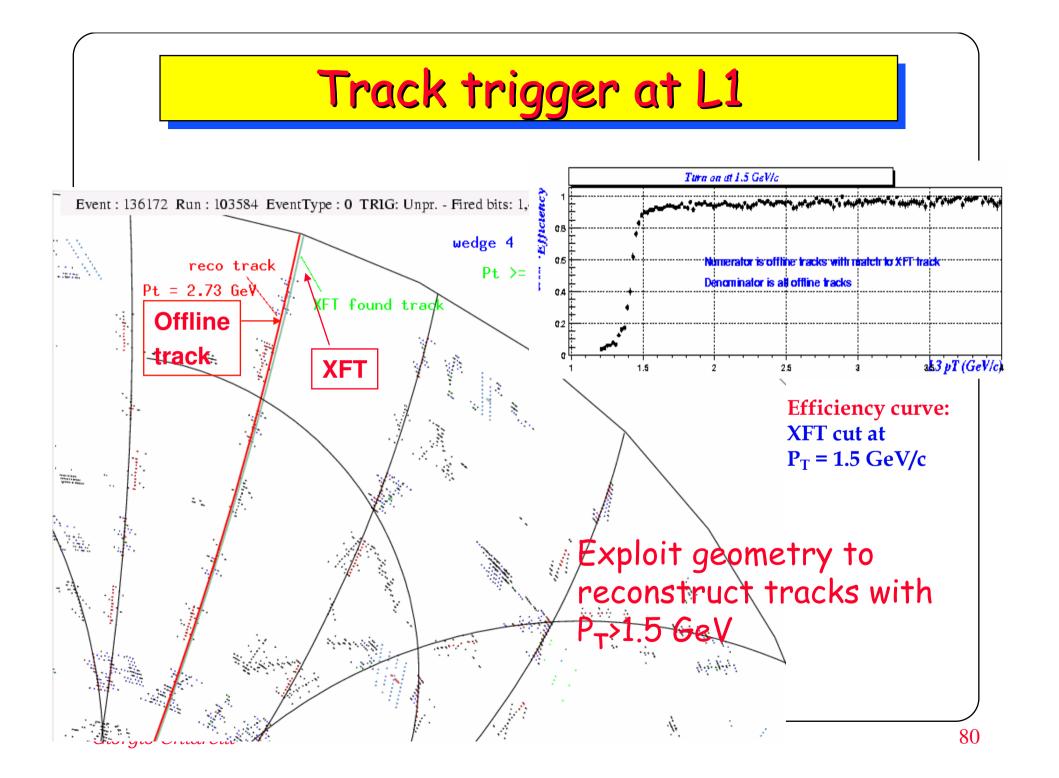


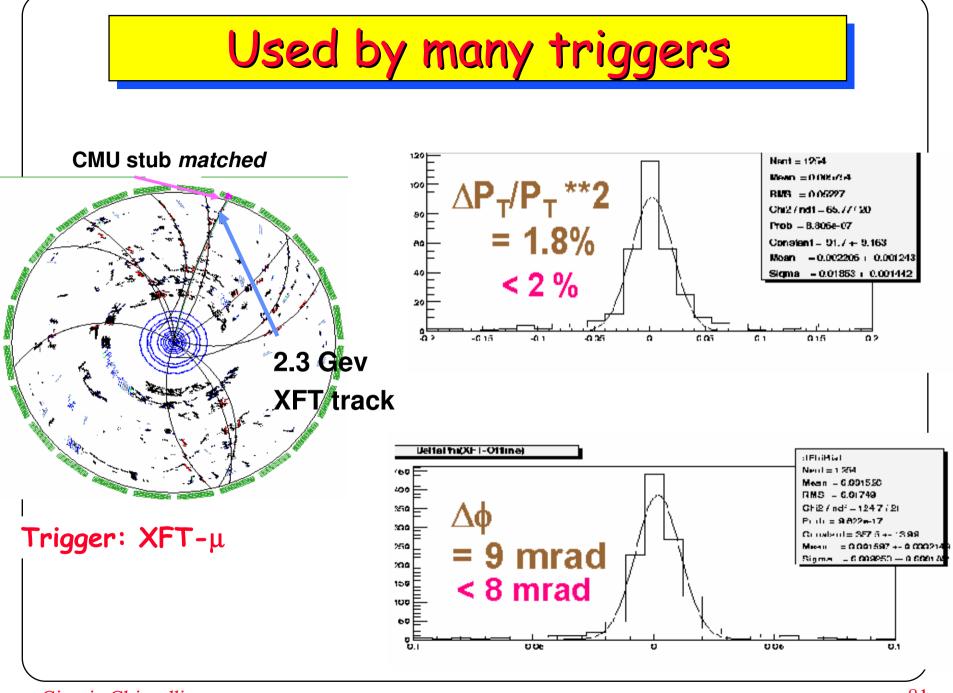
### Drift trajectories



Based on a 396 ns interbunch and cell dimensions we want

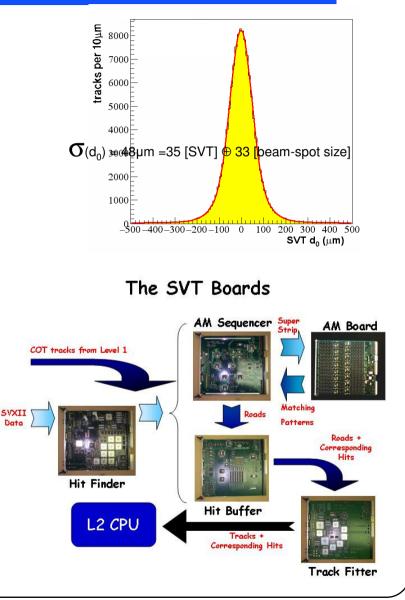
- ~50 μm/nsec drift velocity
- Strong drift field to minimize space charge (sweeping ions quickly)
- ~35° drift angle (based on cell tilting)





#### SVT- tracks with large d<sub>0</sub> at L2

**Reconstruction of** tracks at L1 allows ... ∽ Silicon Vertex Tracker (SVT) you can ⇒Trigger (L2) on tracks not coming from the primary Fundamental for  $\bigcirc$  B Physics (low P<sub>T</sub>) Can be important for  $righ P_T$  events with B ⇒Top, Higgs  $\rightarrow$  Select rare processes



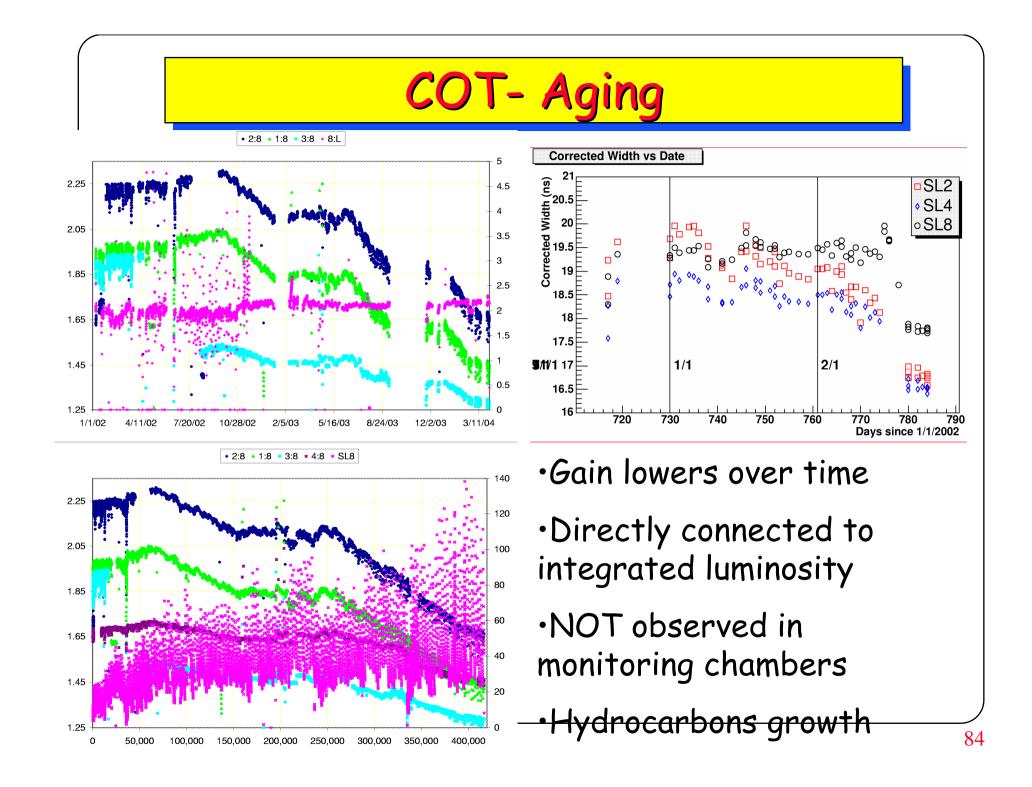
### **Operational challenges**

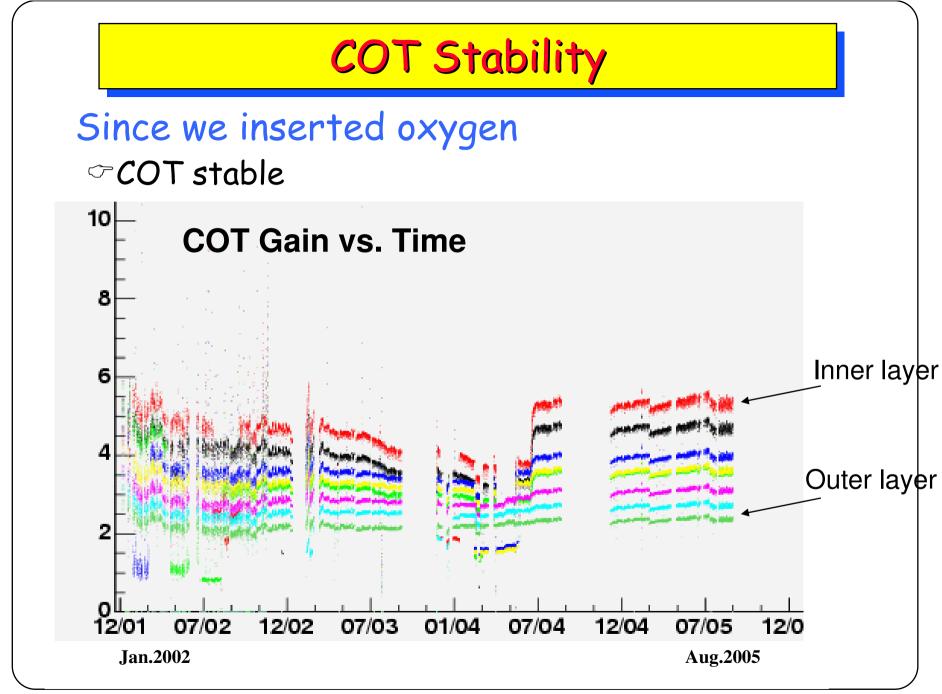
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Unknown effects are (usually) unrelated to new physics
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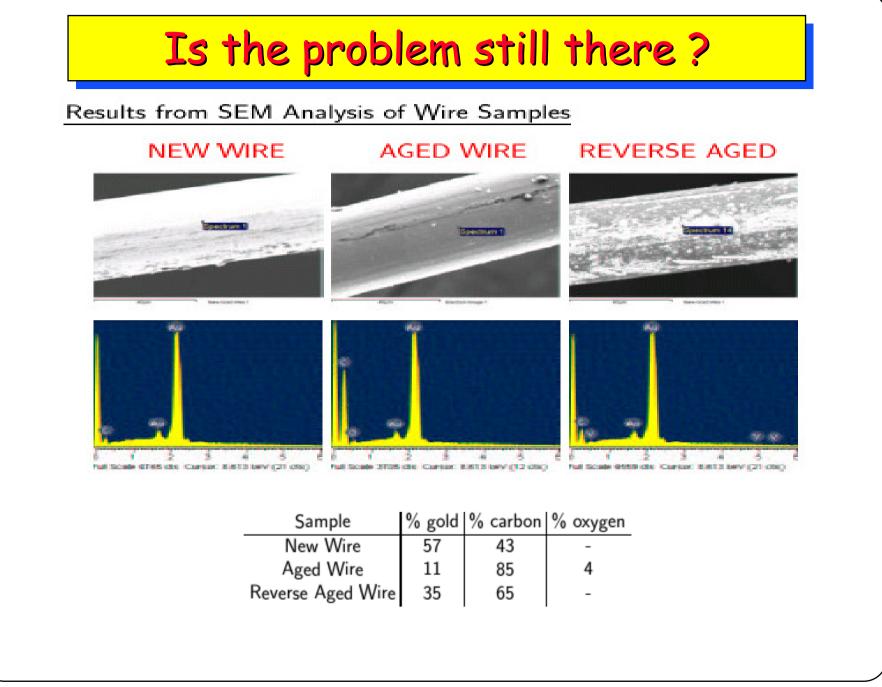
~Rather new problems

∽Pick up problems as soon as they arise is fundamental
⇒Solving can be difficult

∽I will show two examples







### **Microbonds breaking**

Symptom: power lost on digital section of the chips (Z side) for 13/360 SVXII Hypothesis: breaking due to Lorentz force

 $\bigcirc$  Bonding(I)orthogonal to **B** 

 $rac{}{\sim} I \propto$  occupancy

rightarrow L1A rate  $\Rightarrow$  Resonance?

Convincing tests

#### ⇒<u>movie</u>

Changed operational settings

Now under control Keep monitoring the problem

