

# Les Rencontres de Physique de la Vallée d'Aoste

La Thuile, March 3-9 2002

## $B_s$ Oscillations

Results from CDF, SLD and the LEP experiments

New results from ALEPH at this conference

CERN-EP/2002-016  
Submitted to EPJ

Combinations from BOSC working group

(many thanks to O. Schneider)

Conclusions



# Phenomenology

Time-dependent asymmetry between  
"mixed" and "unmixed" decays

$$P(t)_{B_s^0 \rightarrow \bar{B}_s^0} = \frac{Ge^{-Gt}}{2} (1 - \cos Dm_s t)$$

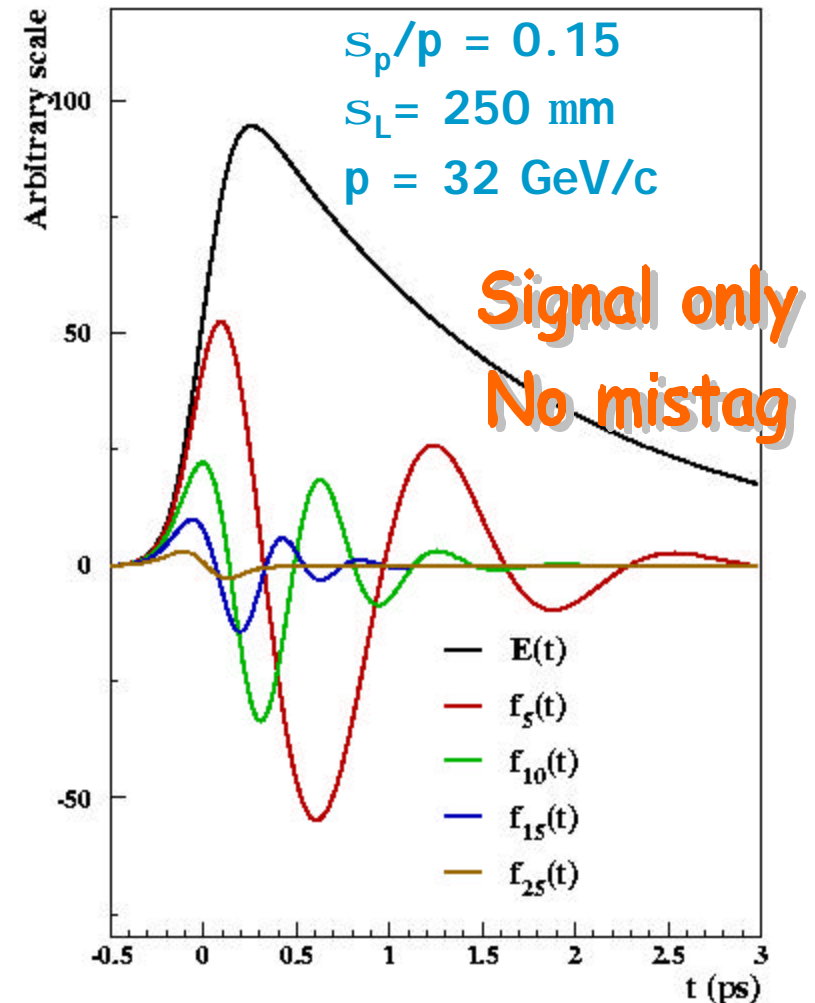
$$P(t)_{B_s^0 \rightarrow B_s^0} = \frac{Ge^{-Gt}}{2} (1 + \cos Dm_s t)$$

Oscillating term damped by  
the exponential decay and  
proper time resolution effects

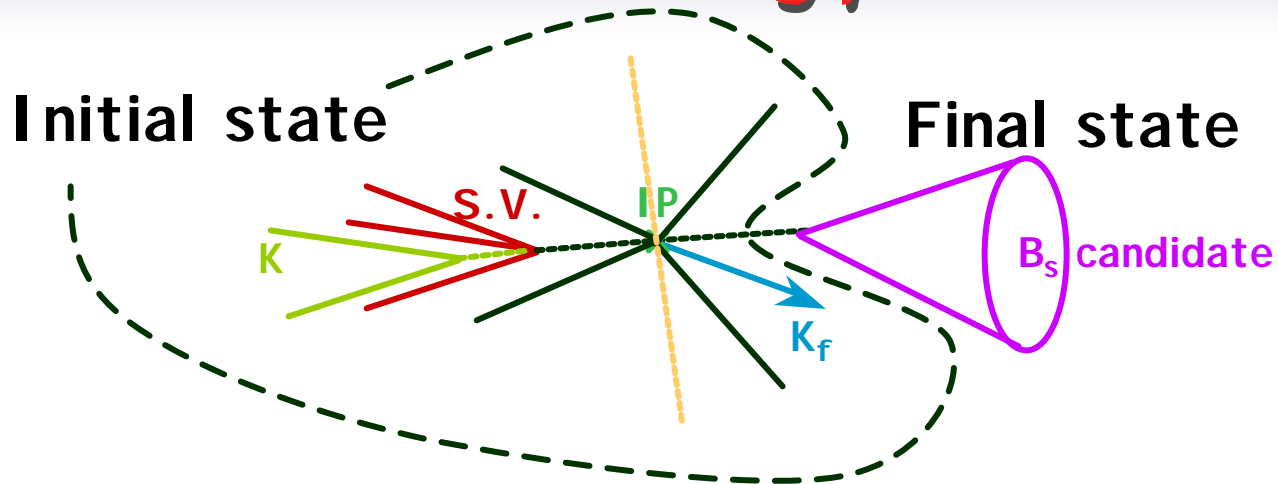
$$s_t = (m/p) s_L \text{ \AA } (s_p/p) t$$

Example:

(LEP-like numbers)



# The basic strategy



## \* Choose a selection criterion

determines directly the **final state tag method** and **signal fraction**

## \* Tag initial and final state

total mistag  $h = h_i (1 - h_f) + h_f (1 - h_i)$

## \* Measure proper time

resolution:  $s_t = (m/p) s_L \text{ \AA} (s_p/p) t$

## \* Maximum likelihood fit to $Dm_s$

(or to the oscillation amplitude with fixed frequency)

### Opposite hemisphere

P.V. charge, S.V. charge, Jet charges, Kaon charge, Lepton charge & kinematics

### Same hemisphere

P.V. charge, K<sub>f</sub> charge

### Overall

F-B asymmetry (very effective @ SLD!)

h ~ 25% @ LEP

h ~ 15% @ SLD

# Selection methods

## \* Fully inclusive

Delphi, SLD

FS tag from dipole or NN

Very high statistics (  $N \sim 10^5$  @ LEP,  $N \sim 10^4$  @ SLD )

“Natural” signal purity (  $f_s = 10\%$  )

## \* Semi-inclusive

Aleph, Delphi, Opal, CDF, SLD

Inclusive I, f-I, K

Still high statistics (  $N \sim 10^4, 10^5$  @ LEP,  $N \sim 10^3$  @ SLD )

Signal purity “natural” or slightly enhanced.

## \* Semi-exclusive

Aleph, Delphi, Opal, SLD

$D_s$ -h,  $D_s$ -l

Lower statistics (  $N \sim 10^2, 10^3$  @ LEP,  $N \sim 10^2$  @ SLD )

Signal purity up to 60%, controlled from data.

## \* Fully exclusive

Aleph, Delphi

Little statistics (  $N \sim 50$  events )

Purity  $\sim 50\%$ , excellent proper time resolution!

Statistics

Signal purity  
Resolution

# The oscillation fit

For every event:

$$L = \sum_j^{\text{Comp.}} f_j \left[ P_u^j F_u^j(t) + (1 - P_u^j) F_m^j(t) \right]$$

## Key point

$$F(t) = e(t_0) \cdot F(t_0) \cdot \text{Res}(t, t_0)$$

←  $S_L, S_p$

$S_L, S_p, f_j, P_j$  estimated event-by-event

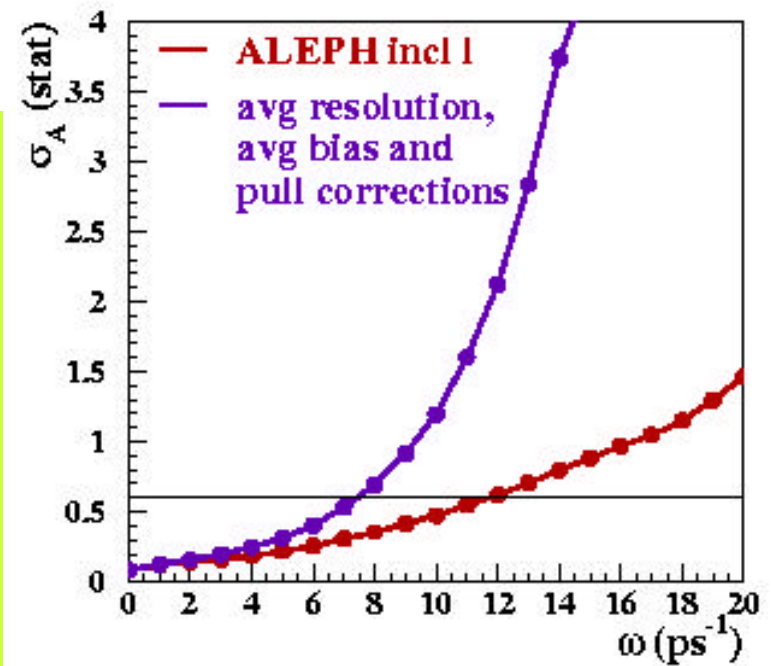
Each event is treated as a single experiment!

## Crucial for inclusive analyses

Resolution, bias corrections and pull corrections vary **WIDELY** as a function of the event topology.

Careful **event-by-event** treatment is **essential** especially for the **vertexing**.

The **statistical power** at **high frequency** depends **crucially** on a **careful description** of the sample.



# The amplitude method

$$P(t) = \frac{1}{2} Ge^{-Gt} [ 1 \pm \cos(Dm_s t) ] \implies P(t) = \frac{1}{2} Ge^{-Gt} [ 1 \pm A \cos(\omega t) ]$$

Fit for the **amplitude** of an oscillation with a **given frequency**\*

Set a limit by combining analyses unable to resolve oscillations:

$$A = 0 \text{ for } Dm_s \gg \omega$$

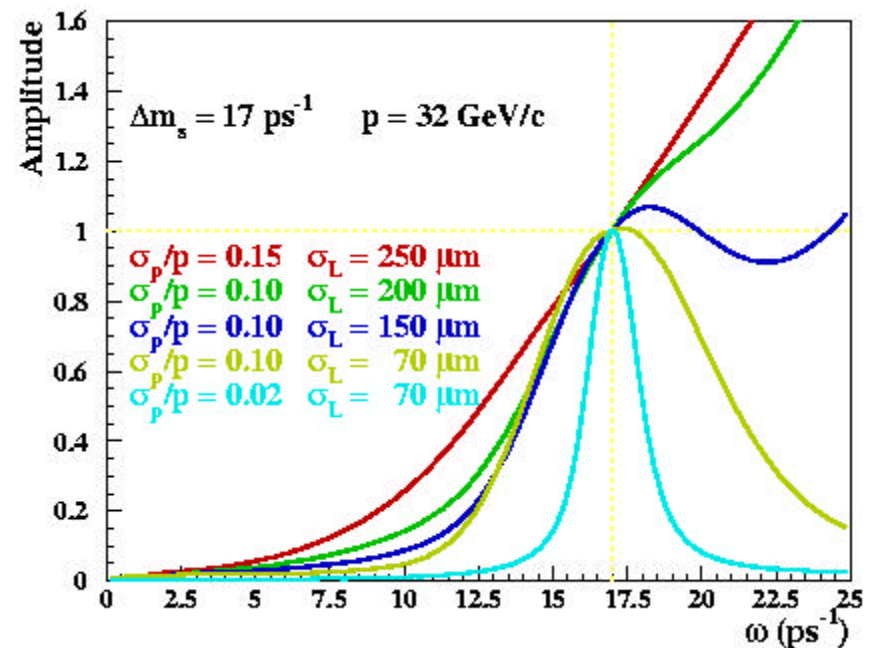
$$A = 1 \text{ for } Dm_s = \omega$$

All  $\omega$  values for which  
 $A + 1.645 S_A < 1$   
 are excluded  
 at 95% C.L.

$$S_A^{-1}(\omega) \propto N^{1/2} f_s (1-2h) F(s_p, s_L)$$

$$F(s_p, s_L) \sim \exp(-s_t \omega)$$

For  $\omega \gg Dm_s$ , the shape  $A(\omega)$  depends on the details of the analysis, and can be calculated **analytically**\*\* in simple cases

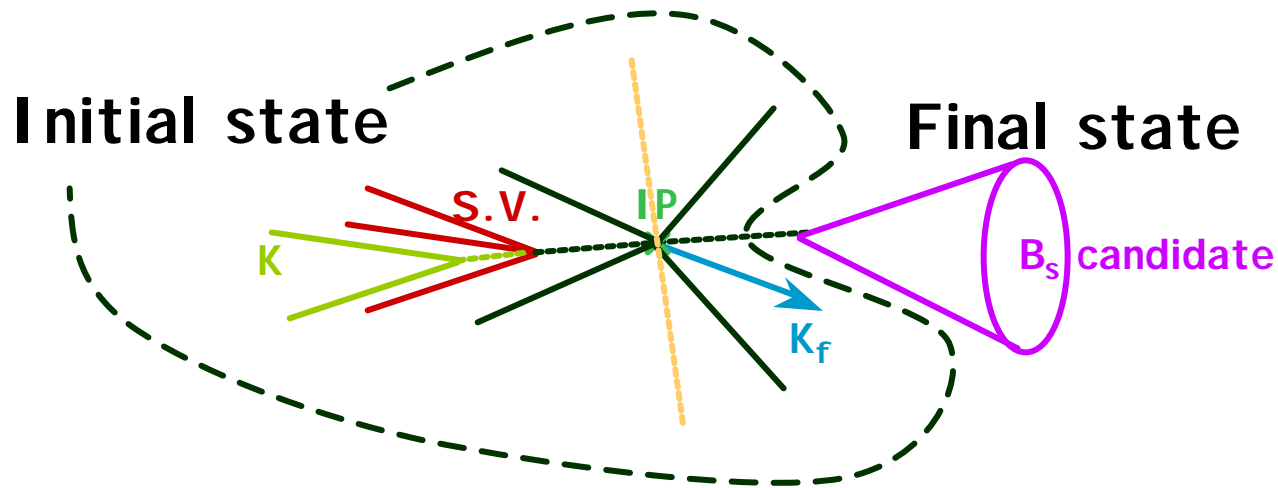


\* Moser and Roussarie NIM A 384 (1997) 491

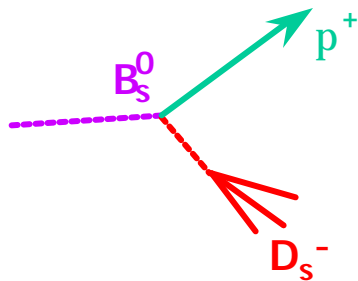
\*\* Abbaneo and Boix JHEP 08 (1999) 004

# The three ALEPH analyses

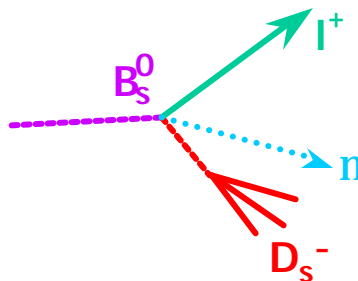
Released as preliminary in 2000 - now improved and submitted for publication



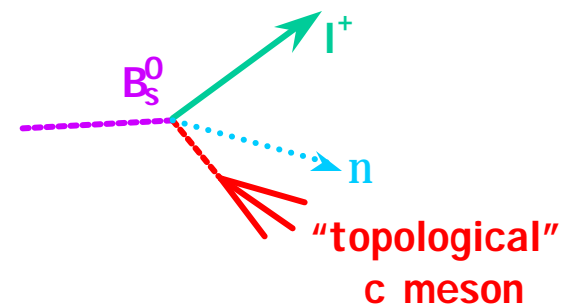
Fully reconstructed candidates



$D_s$  - lepton final states



Inclusive lepton final states



Old  $D_s$  - hadron analysis dropped

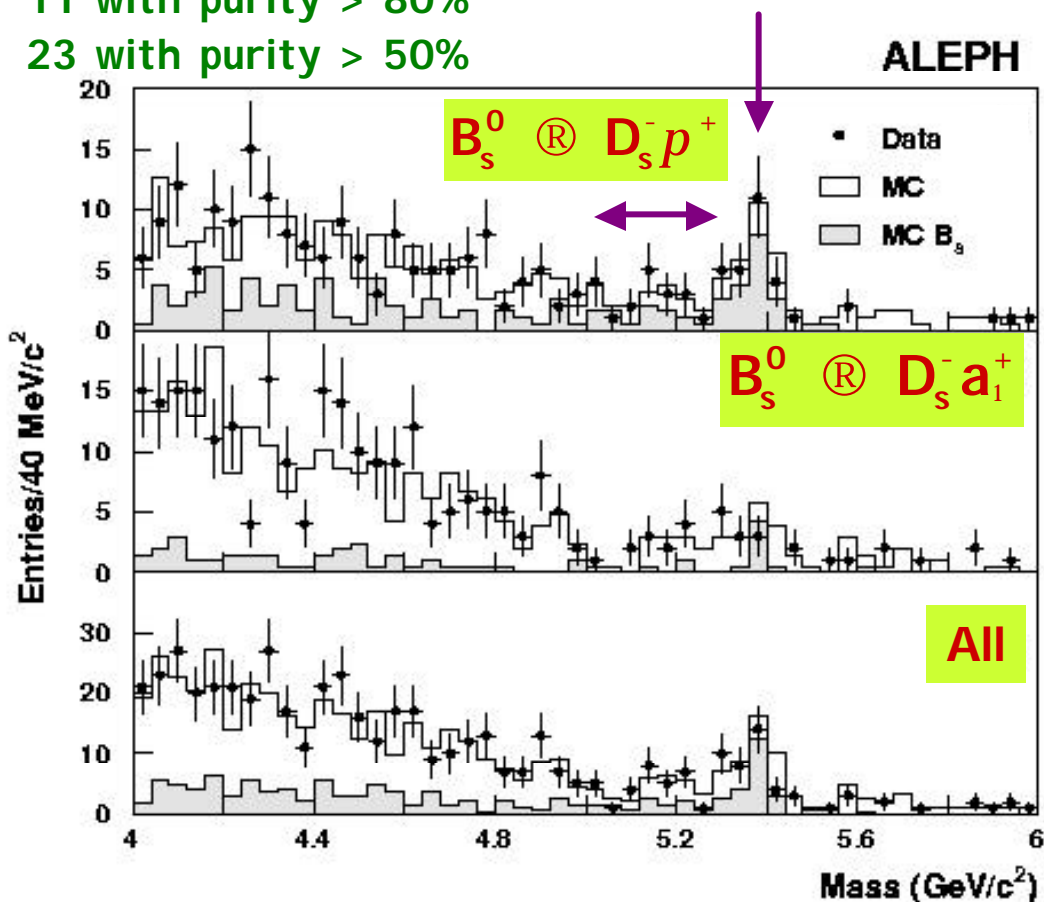
# Fully reconstructed candidates

$B_s^0 \textcircled{R} D_s^- p^+$ ,  $B_s^0 \textcircled{R} D_s^- a_1^+$   
 $D_s^-, a_1^+ \textcircled{R}$  charged particles

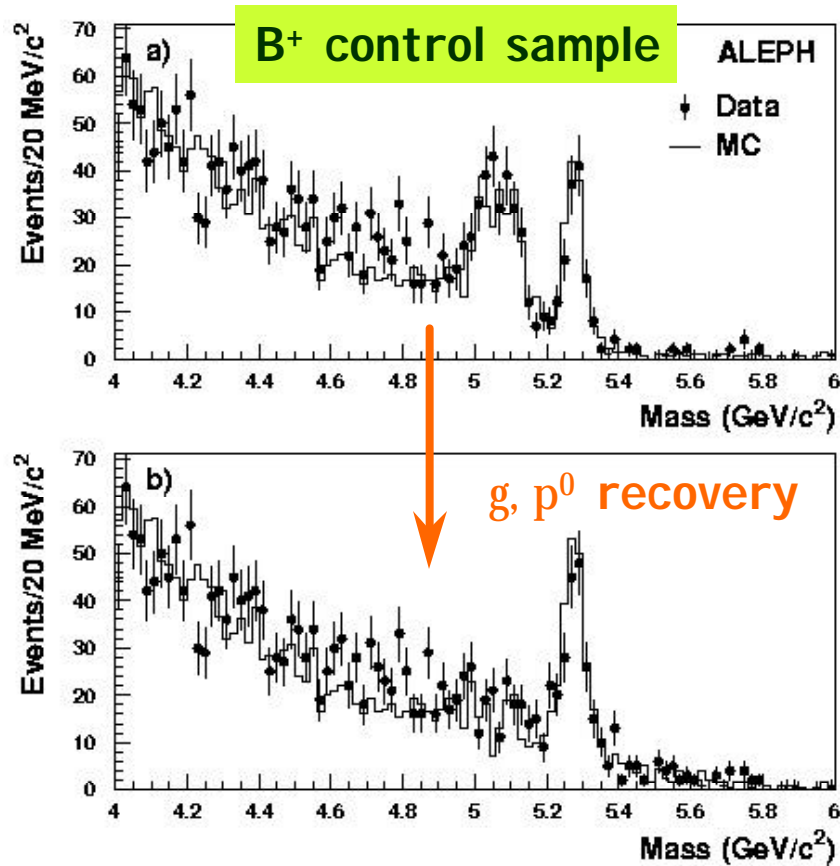
80 candidates (32 in the main peak)

11 with purity > 80%

23 with purity > 50%



$B_s^0 \textcircled{R} D_s^{*-} p^+$ ,  $B_s^0 \textcircled{R} D_s^{*-} a_1^+$   
 $B_s^0 \textcircled{R} D_s^- r^+$   
 $B_s^0 \textcircled{R} D_s^{*-} r^+$

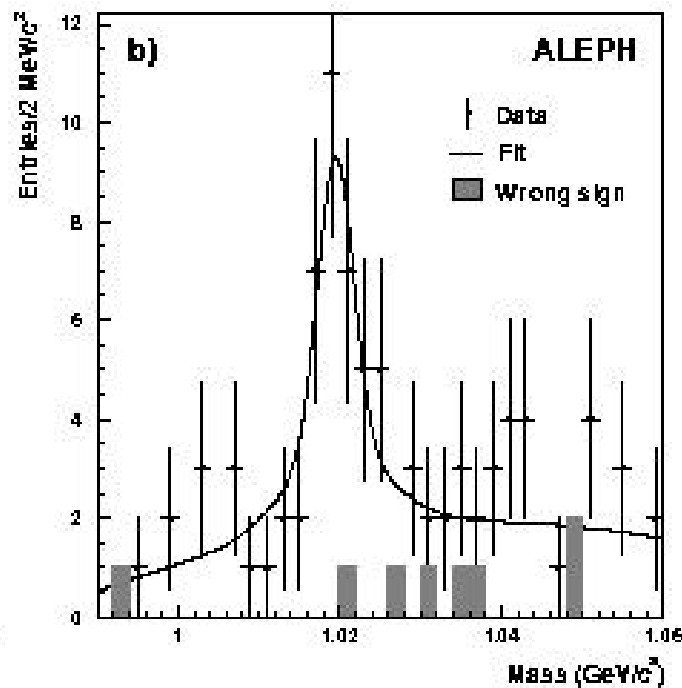
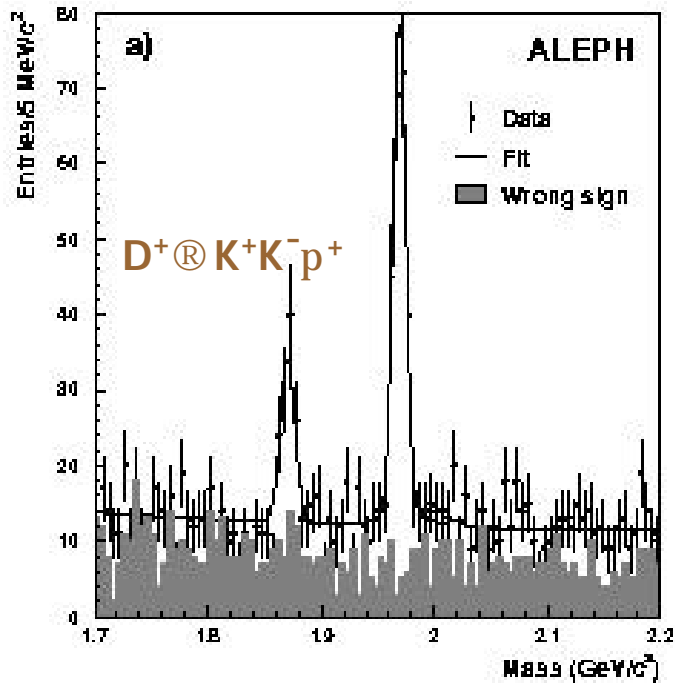




# $(D_s^- l)$ candidates: the channels

$D_s^- \textcircled{R}$  hadronic

$D_s^- \textcircled{R} fl^-$



Over 300 candidates

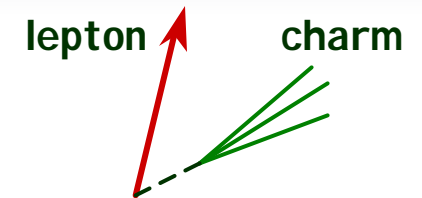
Fraction of the resonant component estimated from the data  
 NN to discriminate resonant background

b  $\textcircled{R}$   $D_s^\pm D(X)$   
 D  $\textcircled{R}$   $Xl$

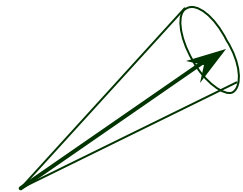
# Decay length for the inclusive $l$ analysis

Basic idea:

Reconstruct inclusively a “D track” and fit it with the lepton

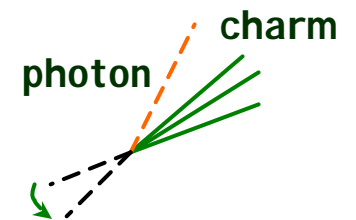


Define a “B track” passing through the PV,  
with angular uncertainties parameterized from the simulation

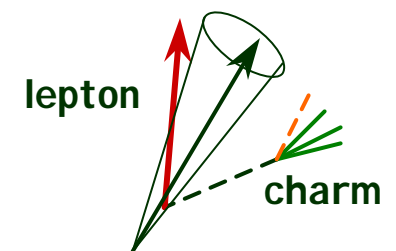


Look for photons around the D track with  $m(D, \gamma) < 1.8$  GeV

Improve the D direction



Fit the D track, the B track and the lepton  
to find the B decay vertex



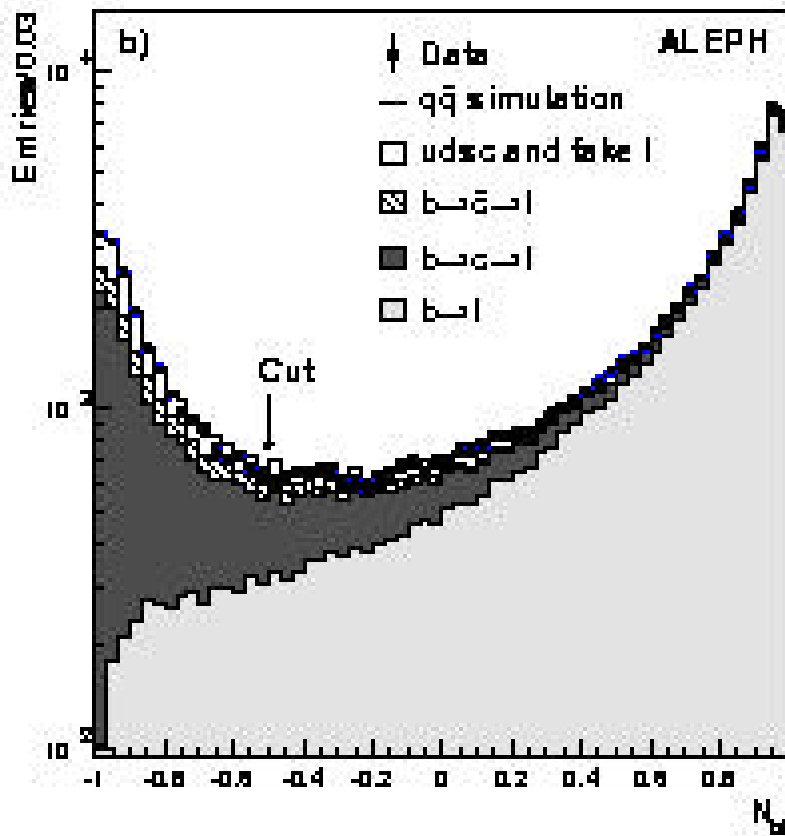
# Event-by-event treatment for the incl 1 analysis

Divide events in classes according to topological properties  
[vertex classes]

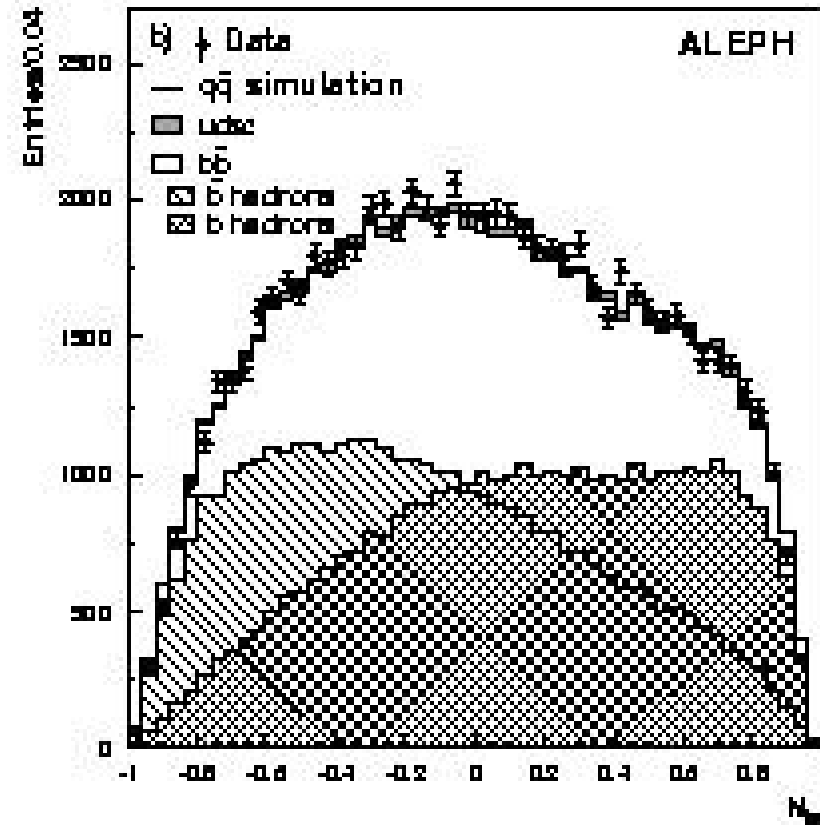
$m(D)$ ,  $\cos q(l, D)$ ,  $n_{tr}(D)$ ,  $c^2(D)$ ,  $c^2(B)$

For each class:

Final state tag

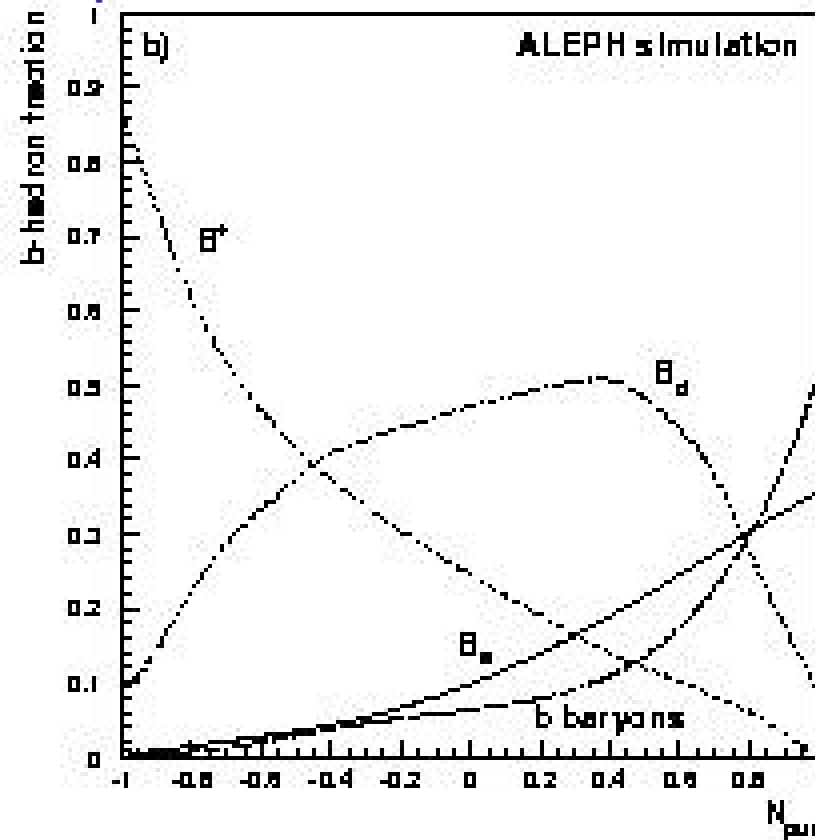
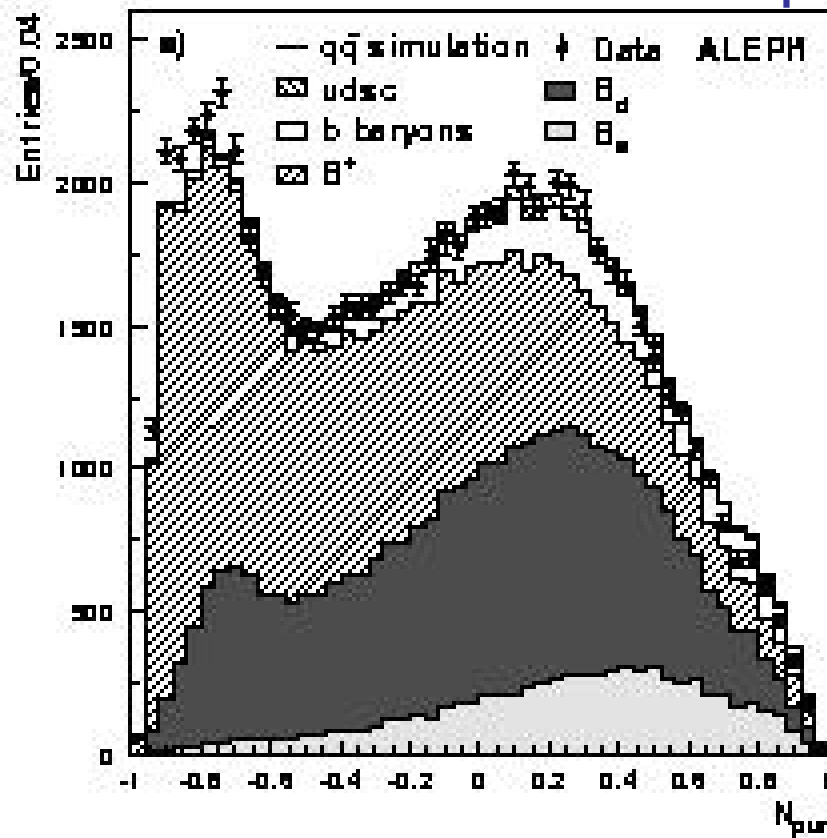


Initial state tag



# Event-by-event treatment for the incl 1 analysis

## Sample composition



Decay length uncertainty from the vertex fit [data]

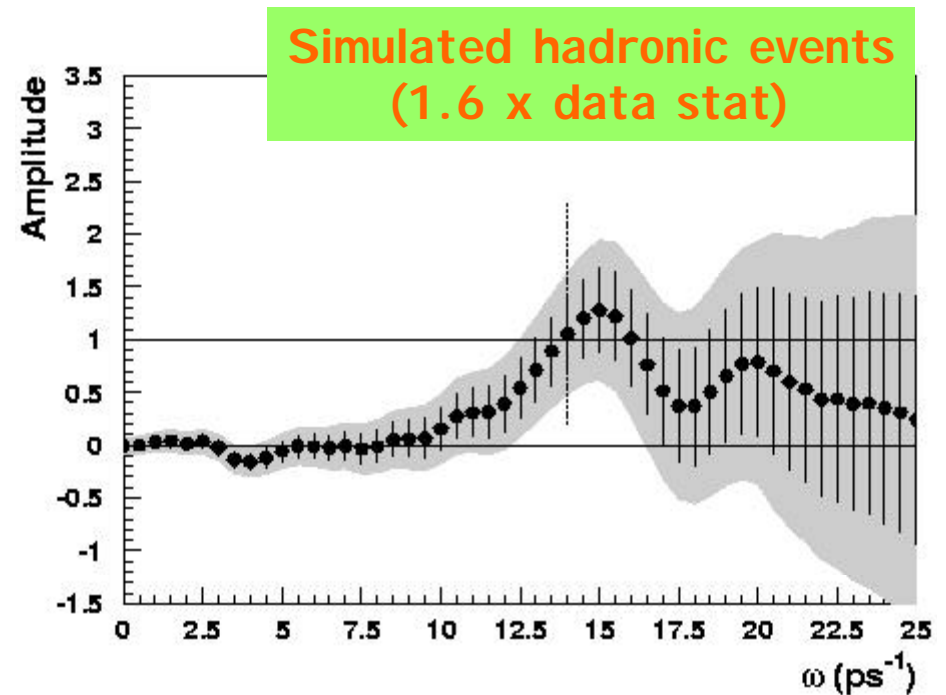
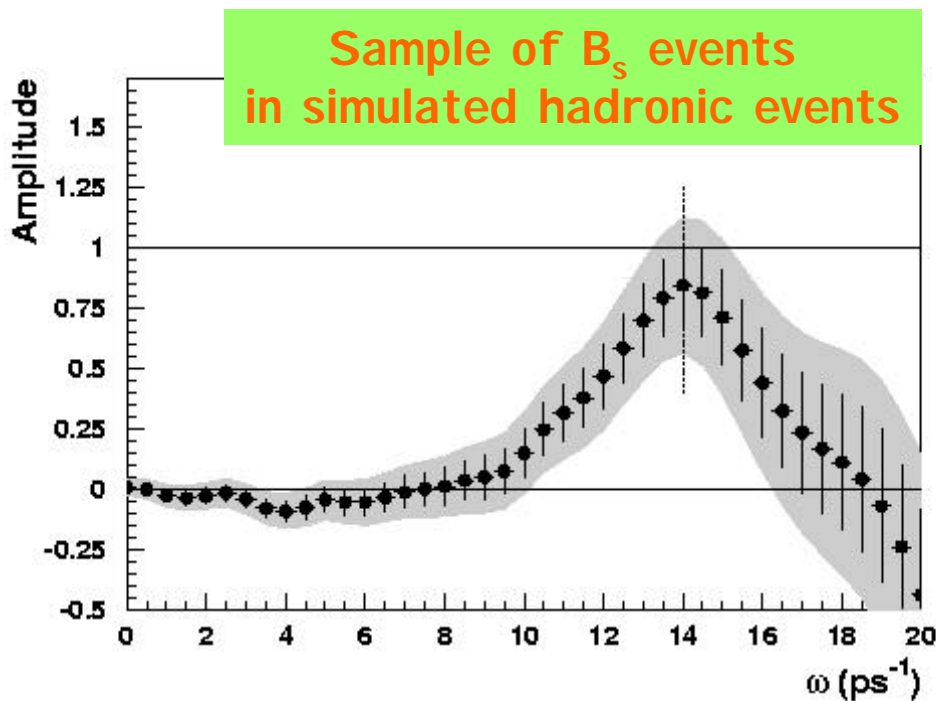
Decay length bias correction and pull correction

Momentum uncertainty and bias correction

Parameterized as a function of event properties

# Building a reliable analysis

## ● Control reliability of parameterizations [MC]



## ● Control reliability of simulation

Use control samples to check IS tag, decay length and momentum reconstruction

$$B^0 \text{ @ } D^- \ell^+ n (X), \quad B^- \text{ @ } D^0 \ell^- \bar{n} (X) \quad \text{etc.}$$

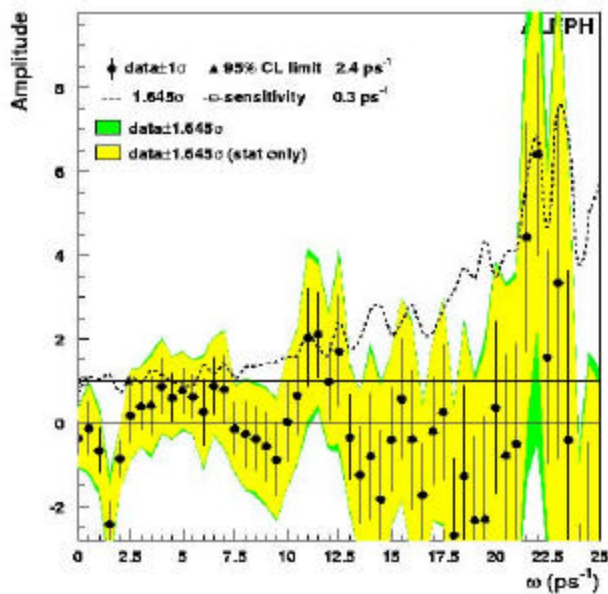
# The estimate of the systematic uncertainties

For each source considered, both a change of the amplitude and of its statistical error are observed

Calculate the total error taking into account both effects  
by means of toy experiments

# The three analysis results

## Exclusive

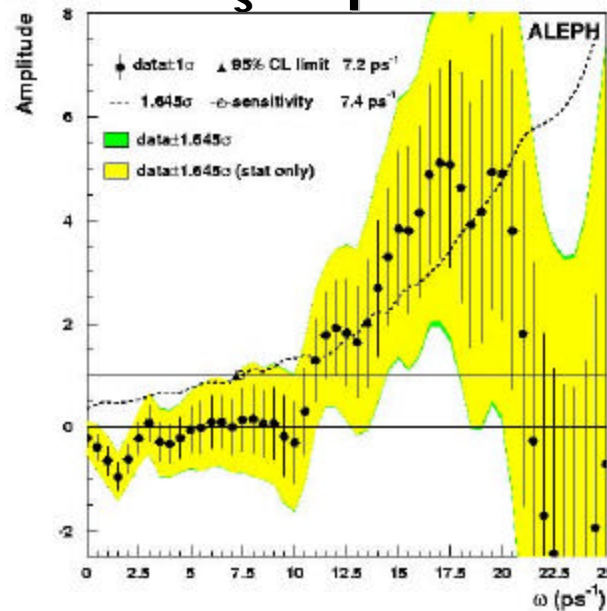


Obs. limit:  $Dm_s > 2.4 \text{ ps}^{-1}$

Exp. limit:  $Dm_s > 0.3 \text{ ps}^{-1}$

$1.645\sigma_A @ 15\text{ps}^{-1}: 2.1$

## $D_s$ -lepton

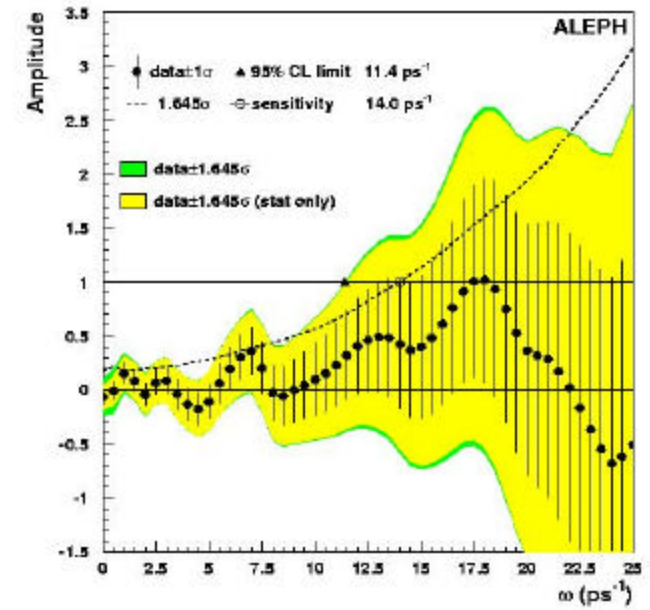


$Dm_s > 7.2 \text{ ps}^{-1}$

$Dm_s > 7.4 \text{ ps}^{-1}$  (was  $6.6 \text{ ps}^{-1}$ )

$1.645\sigma_A @ 15\text{ps}^{-1}: 2.5$

## Inclusive lepton



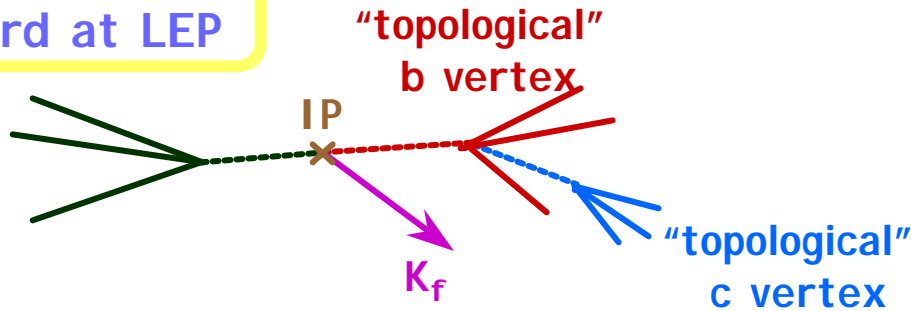
$Dm_s > 11.4 \text{ ps}^{-1}$  (was  $9.5 \text{ ps}^{-1}$ )

$Dm_s > 14.0 \text{ ps}^{-1}$  (was  $9.8 \text{ ps}^{-1}$ )

$1.645\sigma_A @ 15\text{ps}^{-1}: 1.2$

# Fully inclusive final states

Good at SLD  
Hard at LEP



Final state tag based on charge flow between **b** and **c** vertices



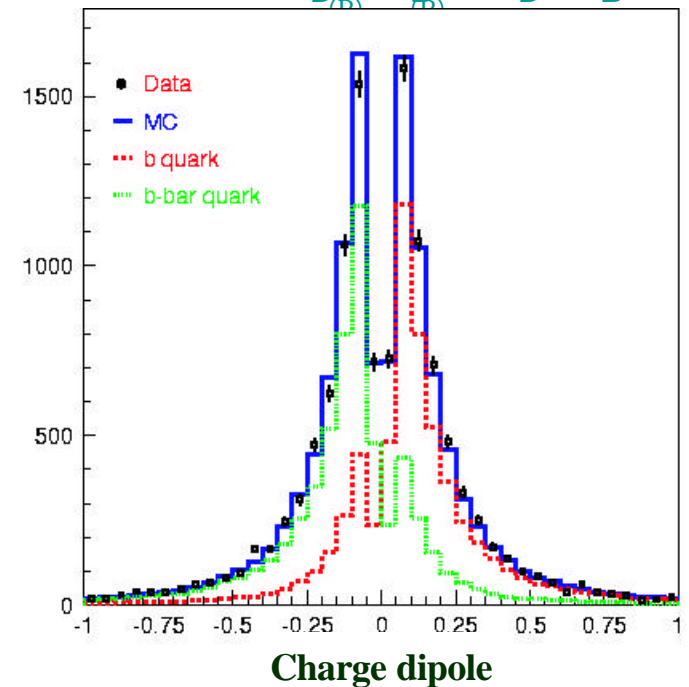
Needs excellent vertexing capability!

@ SLD:

$s_L = 72 \text{ mm (60\%)} \ \& \ 265 \text{ mm}$   
 $s_p/p = 0.07 \text{ (60\%)} \ \& \ 0.21$

$N = 8.5\text{K decays}$   
 (4  $\cdot$  inclusive lepton)

$$dq = |Q_{D^-} - Q_{B^+}| |V_{D^-} - V_{B^+}|$$





# SLD versus LEP

## SLD privileged environment for $B_s$ oscillation hunt

### LEP

4M  $q\bar{q}$  events  
per experiment

$s_L \sim 250$  mm (core)

Initial State Tag

$h_{\text{eff}} \sim 25\%$

Best analyses:

$D_s$  lepton

Inclusive lepton

### SLD

350K  $q\bar{q}$  events

$s_L \sim 60-70$  mm (core)

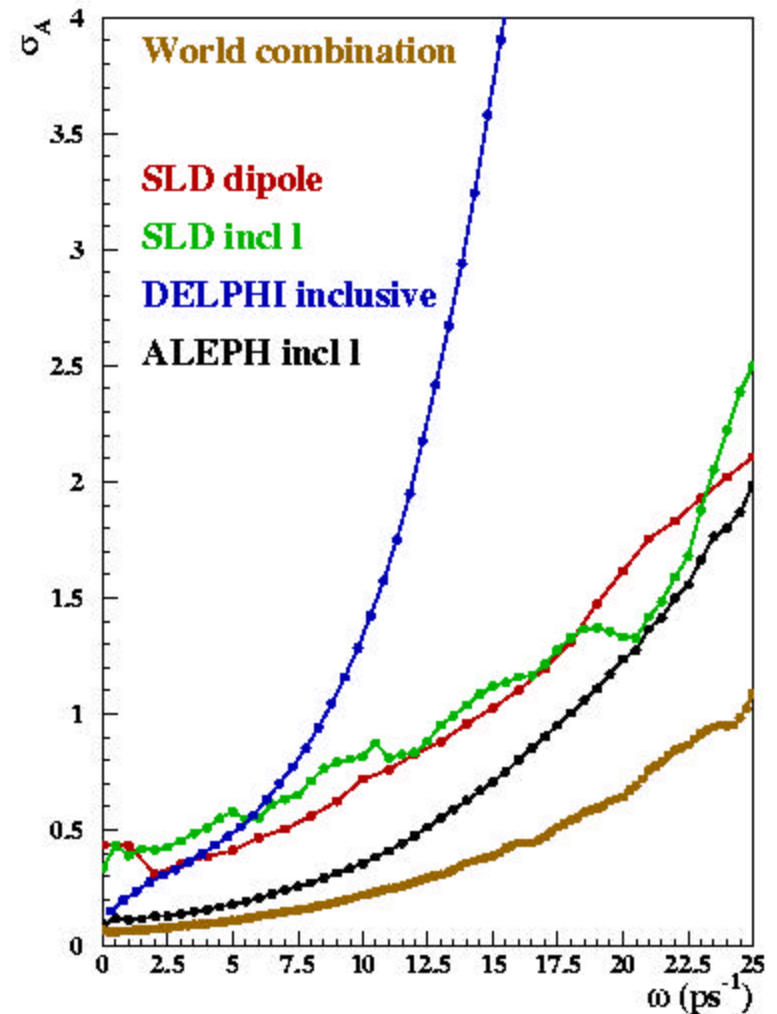
Initial State Tag

$h_{\text{eff}} \sim 10-15\%$   
(beam polarization)

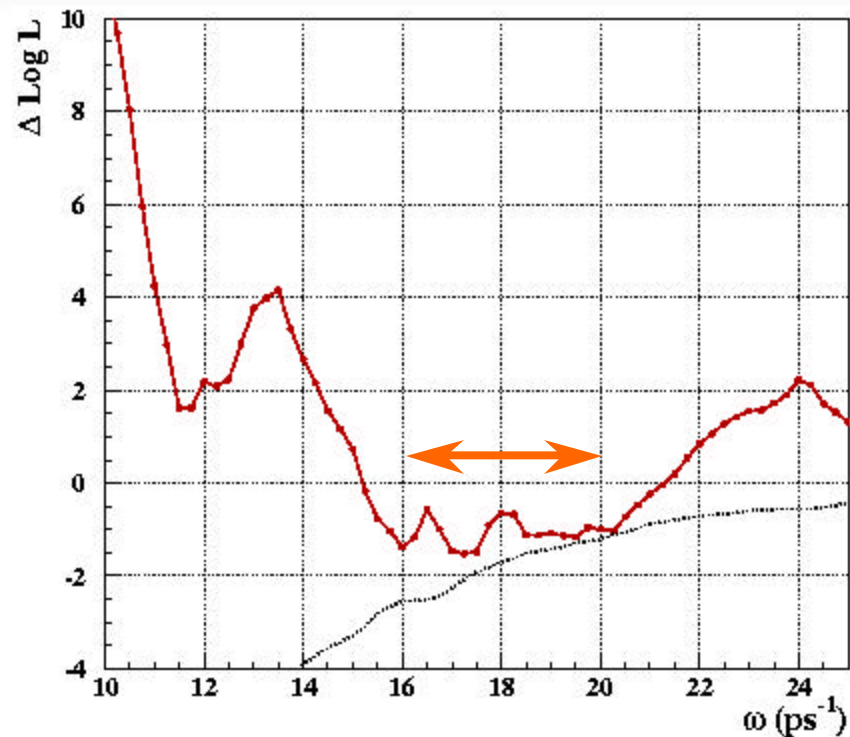
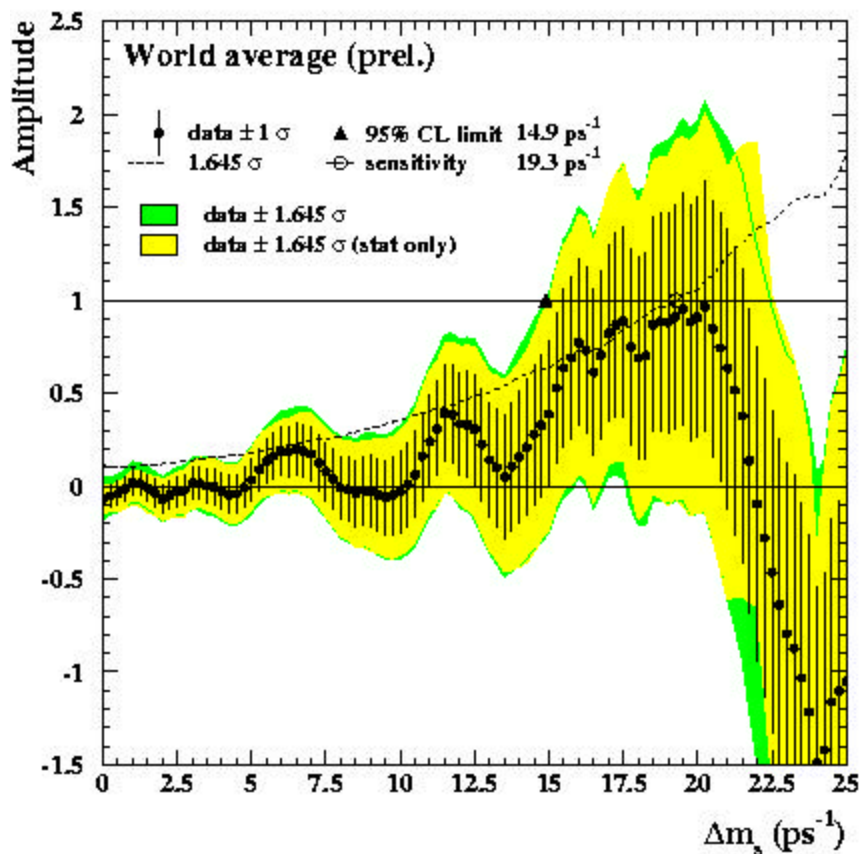
Best analyses:

Inclusive lepton

Fully inclusive



# The world combination



## Combined limit

$Dm_s > 14.9 \text{ ps}^{-1}$  @ 95% CL

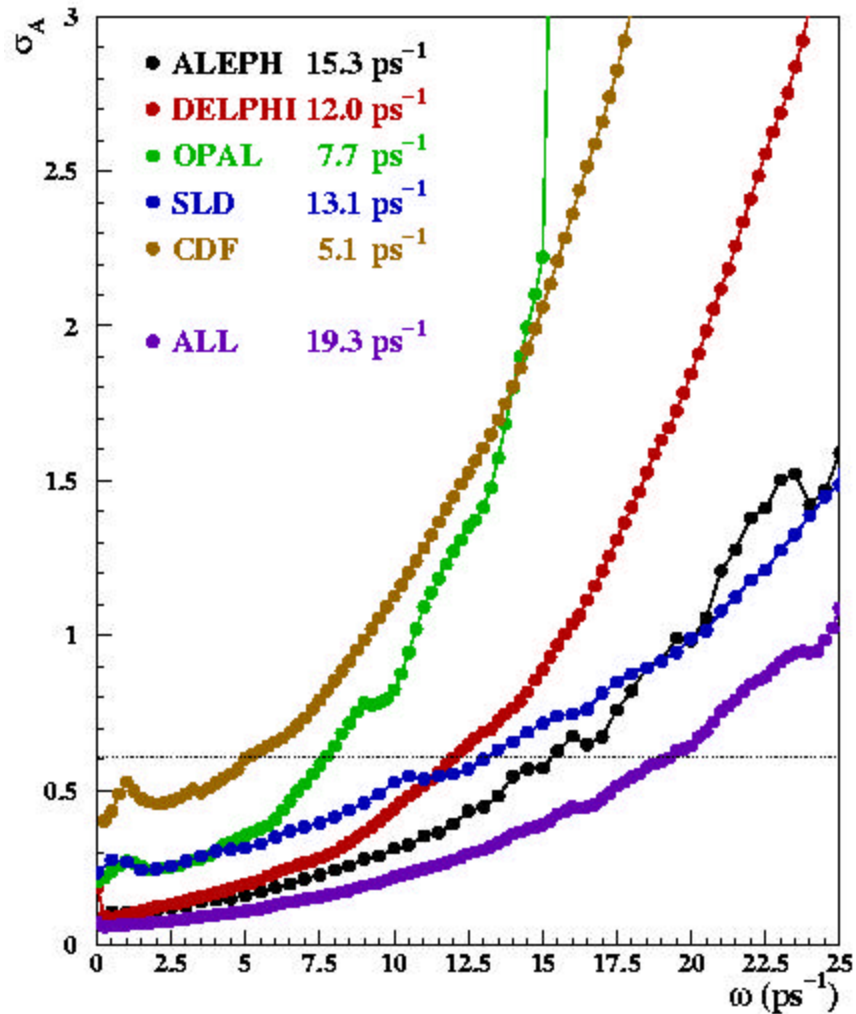
Expected limit  $Dm_s = 19.3 \text{ ps}^{-1}$

## Amplitude error reduction

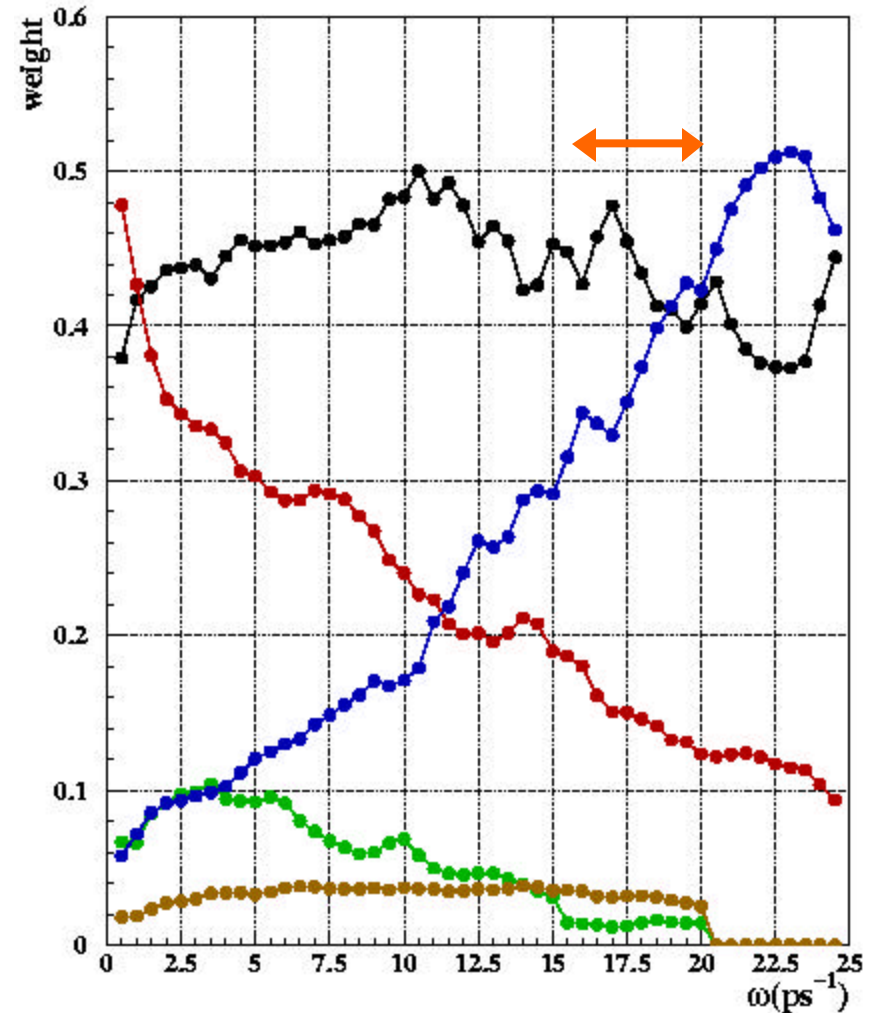
	Now	Summer99
@ 10 ps <sup>-1</sup>	0.22	0.33
@ 15 ps <sup>-1</sup>	0.39	0.66
@ 20 ps <sup>-1</sup>	0.64	1.27

# Comparison by experiment

## Sensitivities



## Weights in the combination



# Conclusions

$B_s$  oscillation searches have substantially improved over the last two years  
in the absence of new data!

(e.g. the uncertainty at  $w \gg 20 \text{ ps}^{-1}$  was reduced by a factor  $\gg 2$ )

Some improvements can still be expected, but not as significant

We know that  $Dm_s > 14.9 \text{ ps}^{-1}$  @ 95% CL  
and we have a (mild) indication of a signal at  $w$  between 16 and 20  $\text{ps}^{-1}$

The burden and the pleasure of continuing the hunt goes now to CDF and D0